

# Effect of oxygen isotope substitution on magnetic ordering in $(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$

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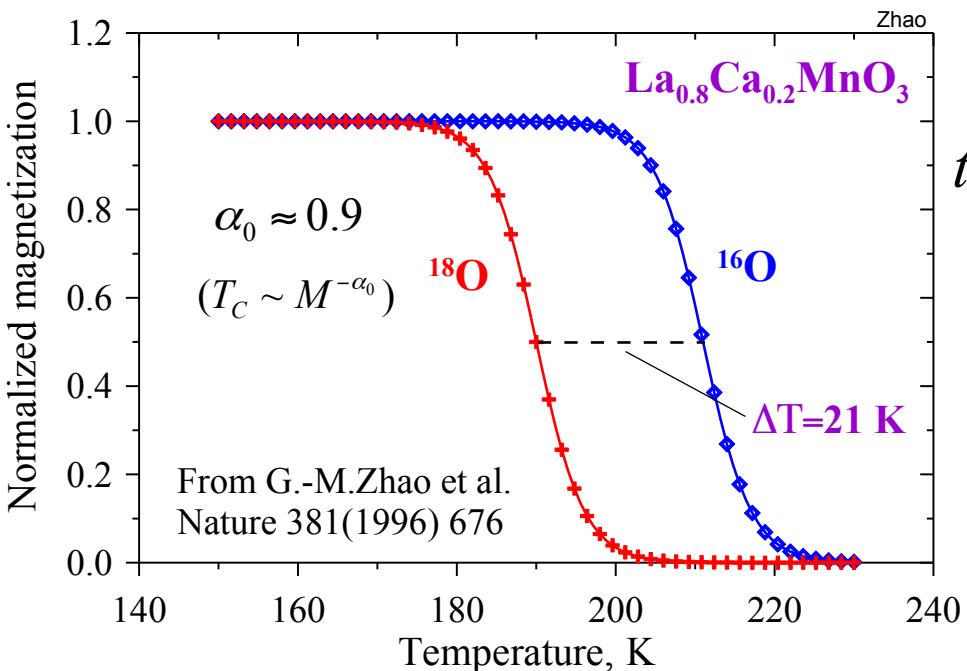
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# Large isotope effect in metallic manganites

Decrease in ( $T_C \sim t^*$ ) by  $^{16}\text{O} \rightarrow ^{18}\text{O}$  exchange



Oxygen isotope exponent ( $T_C \sim M^{-\alpha_0}$ )

$$\alpha_0 = -\Delta \ln T_C / \Delta \ln M$$

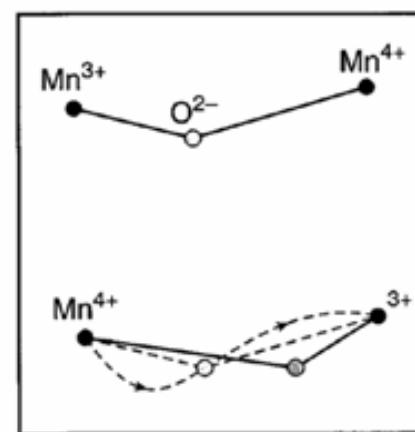
Polaronic narrowing<sup>1-3</sup> of bandwidth  $t$

$$t^* = t \exp(-g^2)$$

, where  $g^2 = \lambda \cdot zt / \omega$   
is coupl. const

$$\omega \sim M^{-0.5}$$

$$\alpha_0 = -\Delta \ln T_C / \Delta \ln M \sim 0.5E/\hbar\omega$$



Schematic of possible dynamic distortion

$\alpha_0 \approx 0.8 - 1$   
can be theoretically  
estimated<sup>1</sup>

<sup>1</sup>L. P. Gor'kov and V. Z. Kresin, Phys. Rep. **400**, 149 (2004).

<sup>2</sup>A.S.Alexandrov, N.F.Mott Int. J. Mod. Phys **8**, 2075 (1994)

<sup>3</sup>A.S.Alexandrov, V.V.Kabanov, D.K.Ray, PRB **49**, 9915 (1994)

# Isotope effect expected if:

Polaronic narrowing works:

e-hopping time  $\tau \sim 1/\omega$

opt. phonon  $\sim 20$  meV

Isotope effect expected?

YES

double-exchange  
charge ordering  
 $T_C \sim zt^*$   
 $T_{CO} \sim t^*/V, V \sim 0.2$

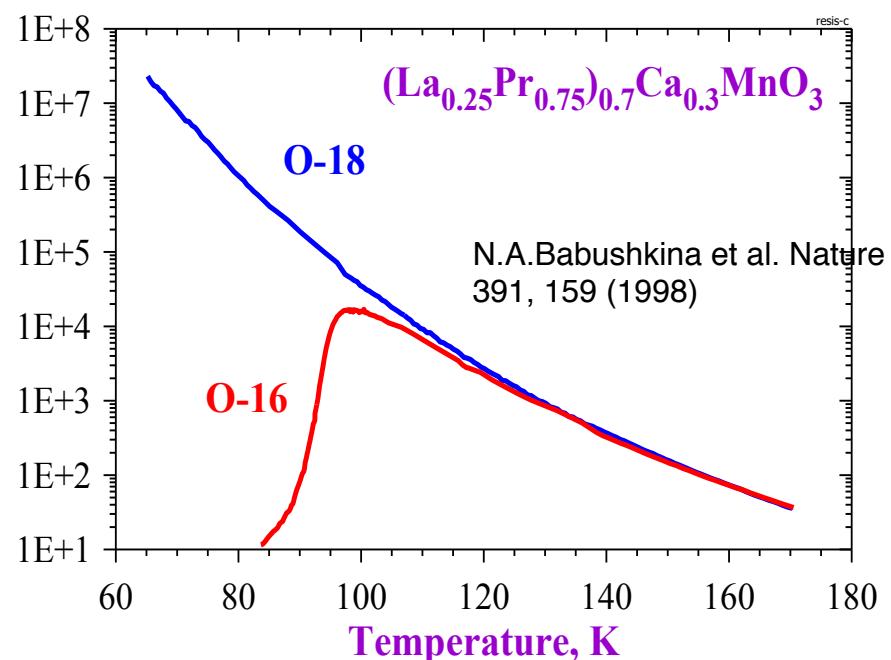
NO

Superexchange  
 $J_{AF} \sim -b^2/U$   
 $J_F \sim b^3/U^2$   
 $\tau = \hbar/U, U \sim 5\text{eV}$

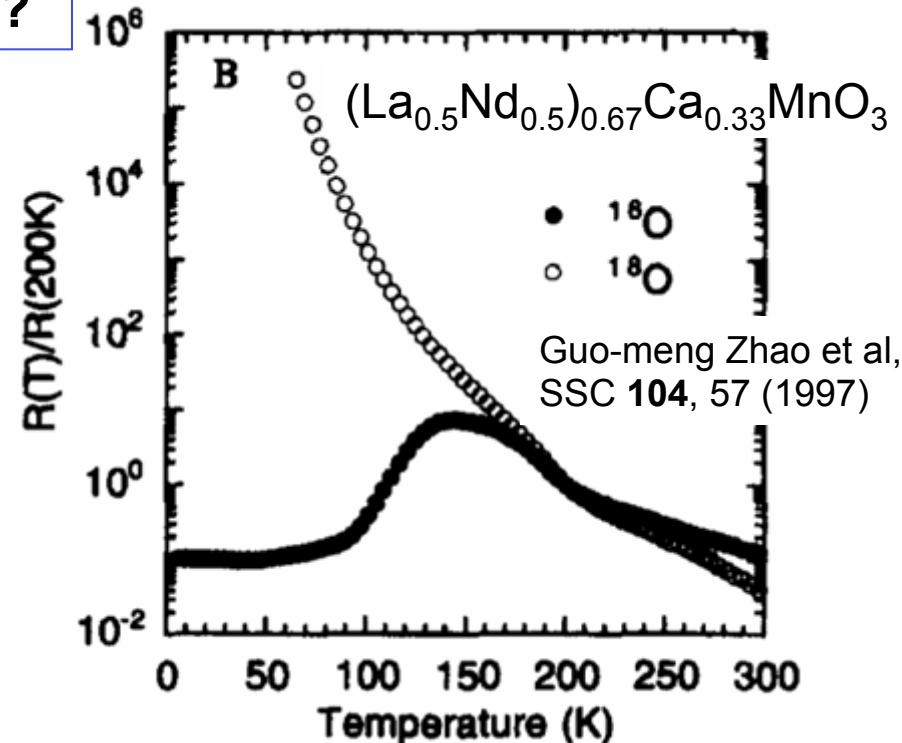
Isotope effect allows us to verify the type of interactions involved!

# Giant isotope effect in intermediate-bandwidth manganites

$^{16}\text{O} \rightarrow ^{18}\text{O}$   
 $T_c \rightarrow 0 \text{ K?}$

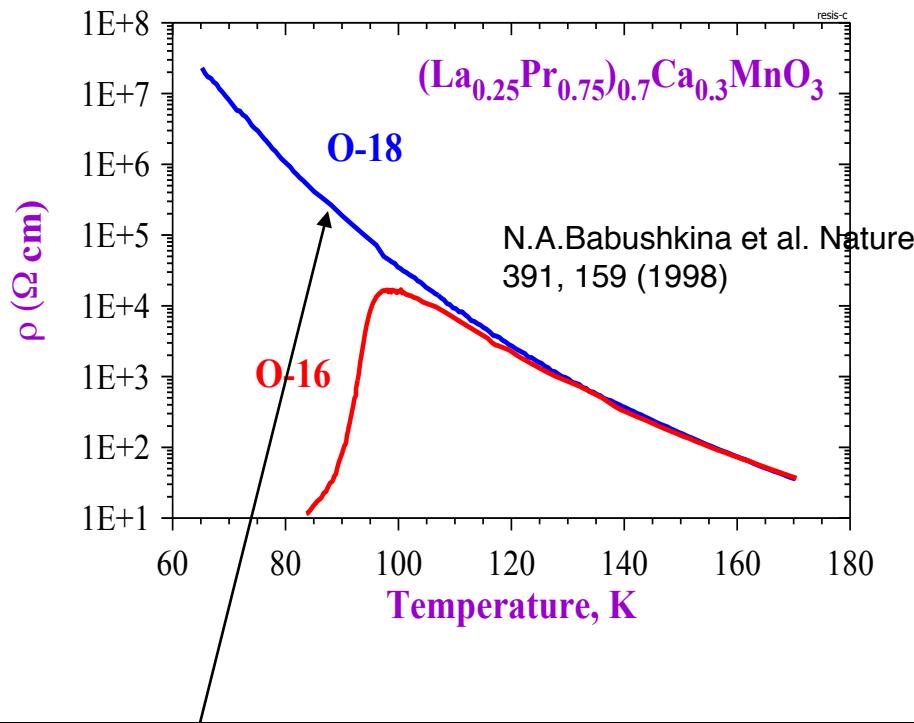


$$t^* = t \exp\left(-\frac{E_{pol}}{\varpi}\right) \text{ is not enough!}$$

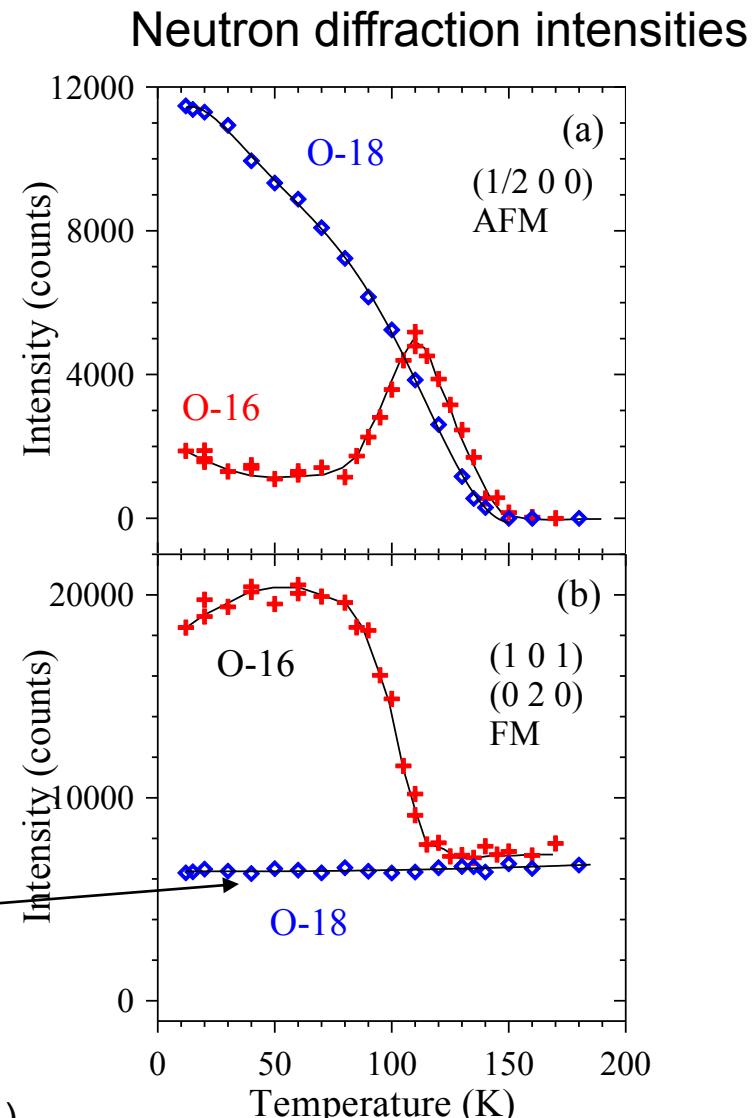


M-I is a percolate-type transition in phase separated state

# Giant isotope effect in $(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$ , $y=0.75$



Increase in the  $m_O$  leads to complete suppression of the FMM phase and hence to the insulating state

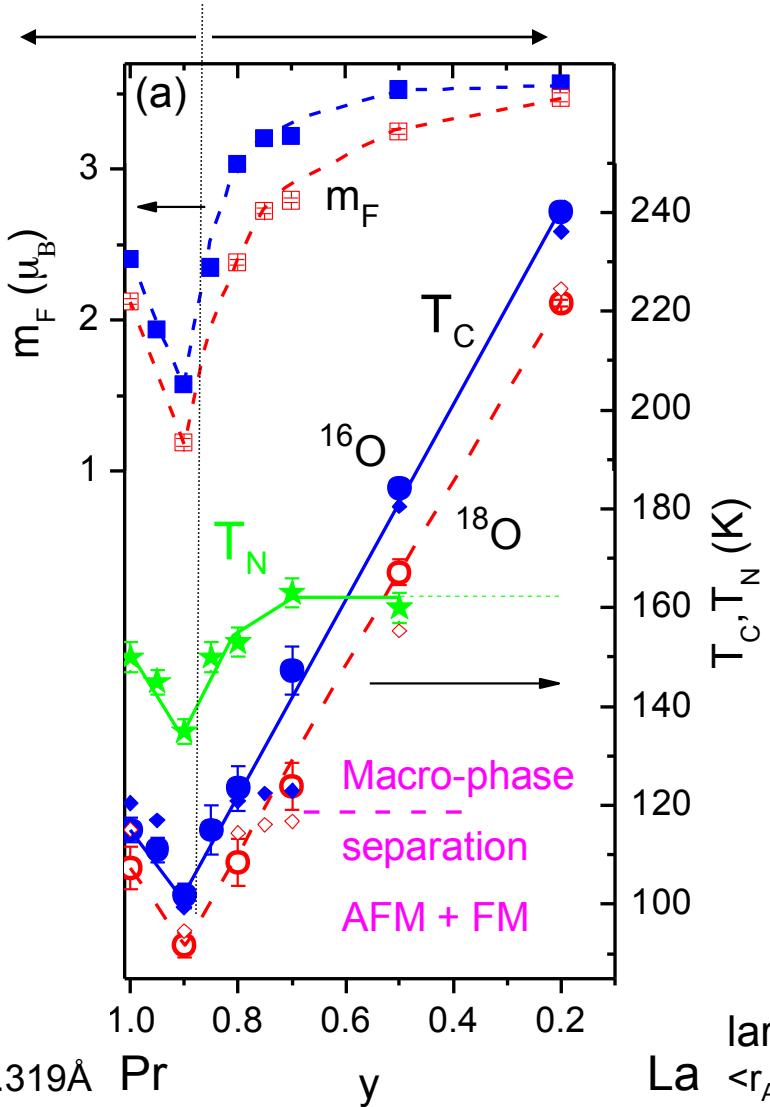


Balagurov et al, Phys. Rev. B **60**, 383 (1999); B **64**, 24420, (2001)

# $(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$ phase diagram

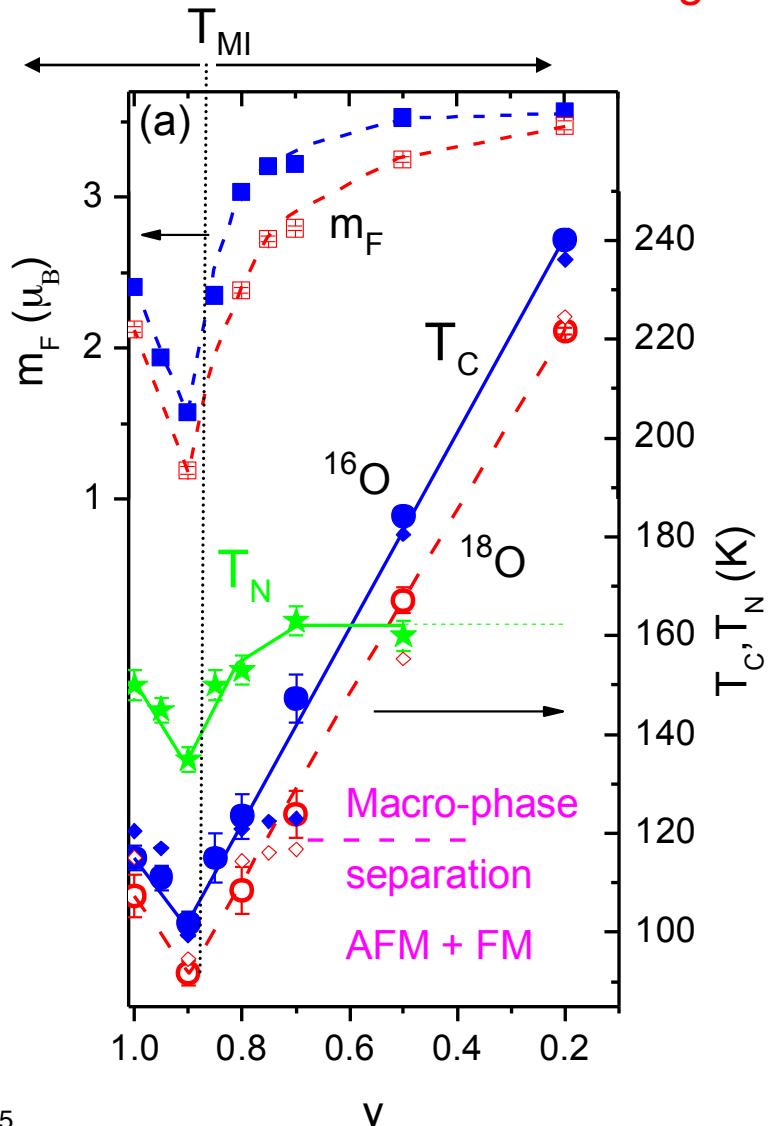
A-cation

Mott insulator ← FM double exchange metal

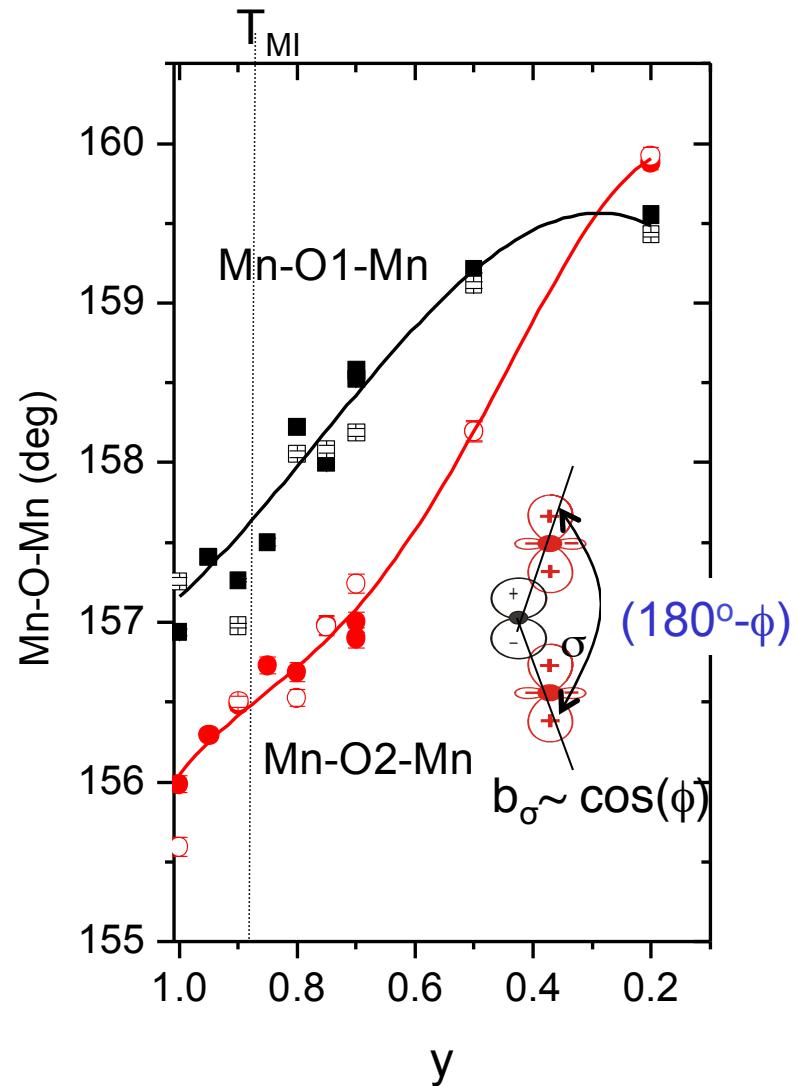


# $(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$ phase diagram

Mott insulator  $\leftarrow$  FM double exchange metal

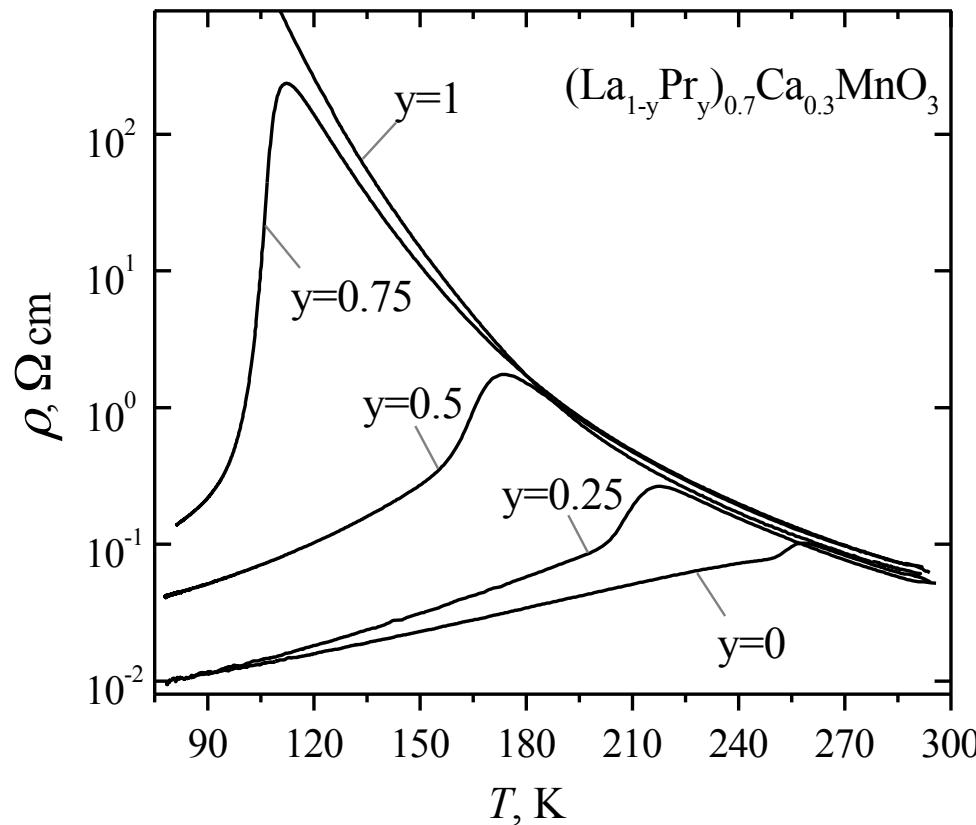
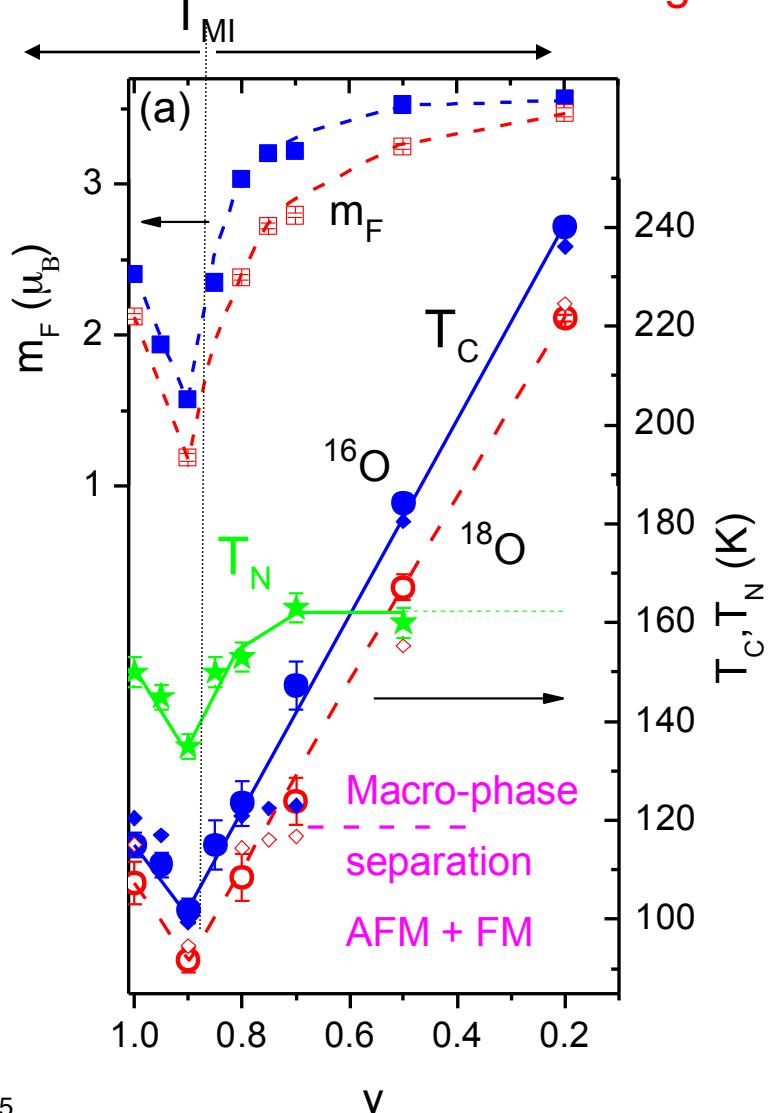


Mn-O-Mn valence bond angles



# $(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$ phase diagram

Mott insulator  $\leftarrow$  FM double exchange metal



# Samples

## Powders of $(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$

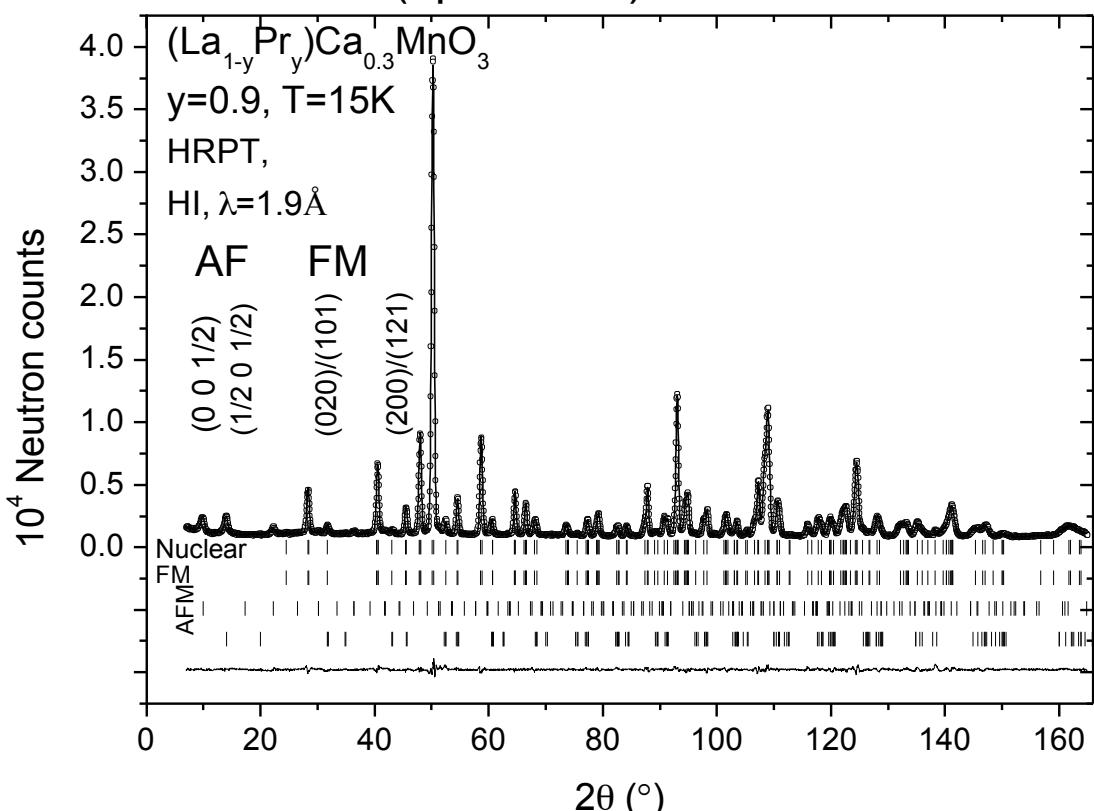
- **O-series ( $y=0.2, 0.5, 0.7, 0.75, 0.8, 0.85, 0.9, 0.95, 1.0$ )**: by the solid state synthesis from oxides and carbonates of respective metals. The  $^{18}\text{O}$  (>85%) samples as well as the final  $^{16}\text{O}$  samples were obtained via respective oxygen isotope exchange at the same conditions
- **N-series<sup>1</sup>**: by the “paper” synthesis starting from aqueous solutions of nitrates of the respective metals (N-series) with the final thermal treatment similar to the O-series

[1] Balagurov et al, *Phys. Rev. B* **60**, 383 (1999);  
*Phys. Rev. B* **64**, 024420-1 (2001);  
*Eur. Phys. J. B* **19**, 215 (2001)

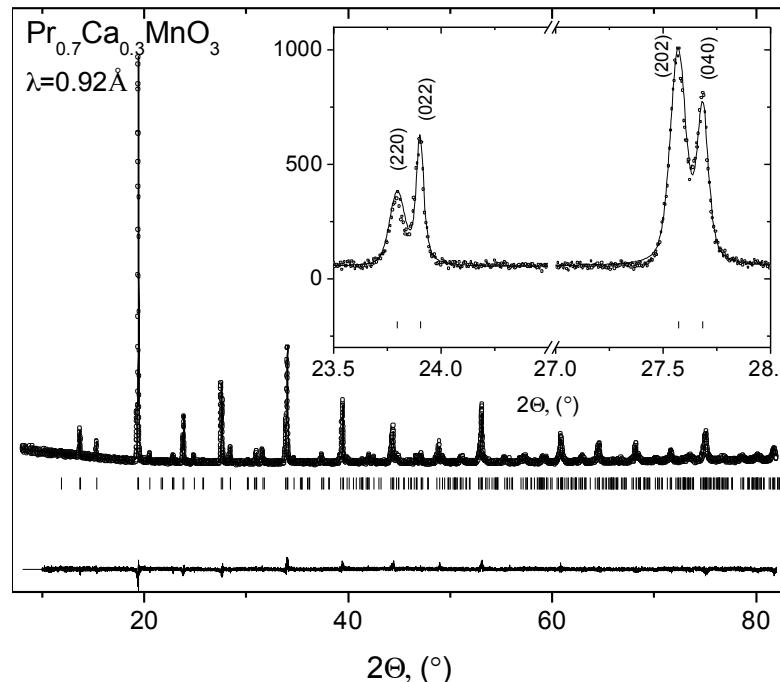
# Experiment

## 1. Neutron ( $T=2-1400K$ ) and synchrotron x-ray (room T) diffraction

High resolution HRPT diffractometer,  
Cold DMC (up to  $4.2\text{\AA}$ ) at SINQ/PSI

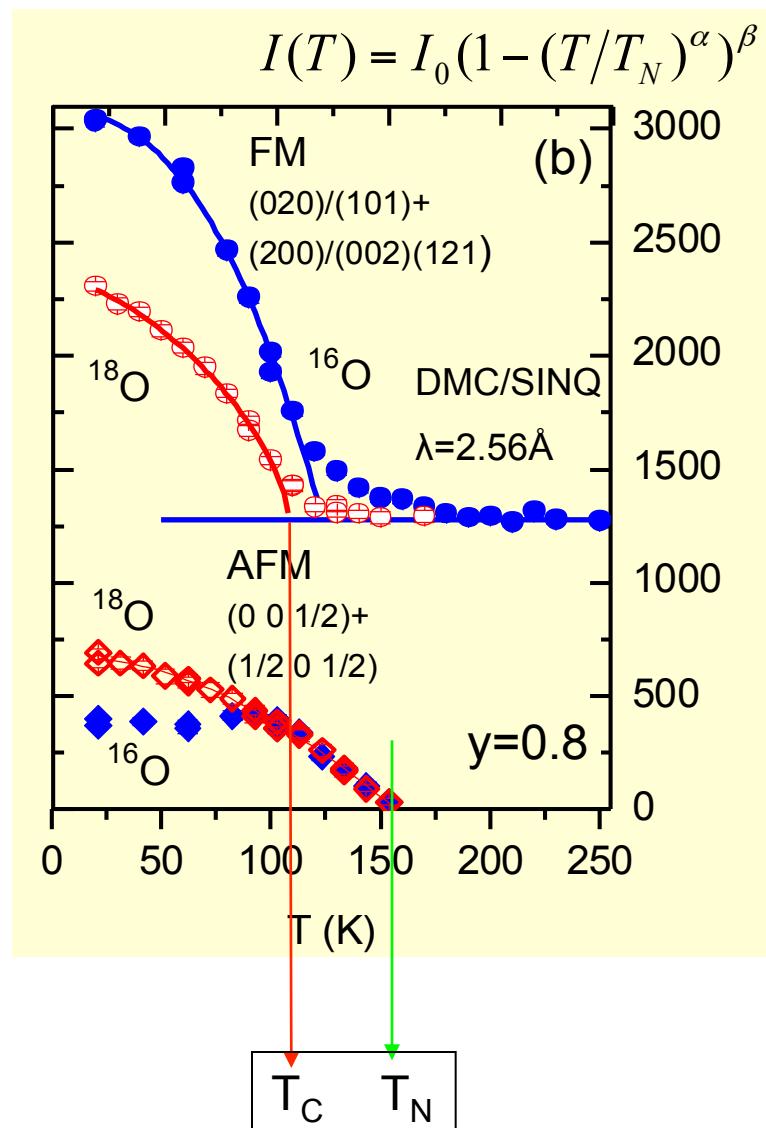
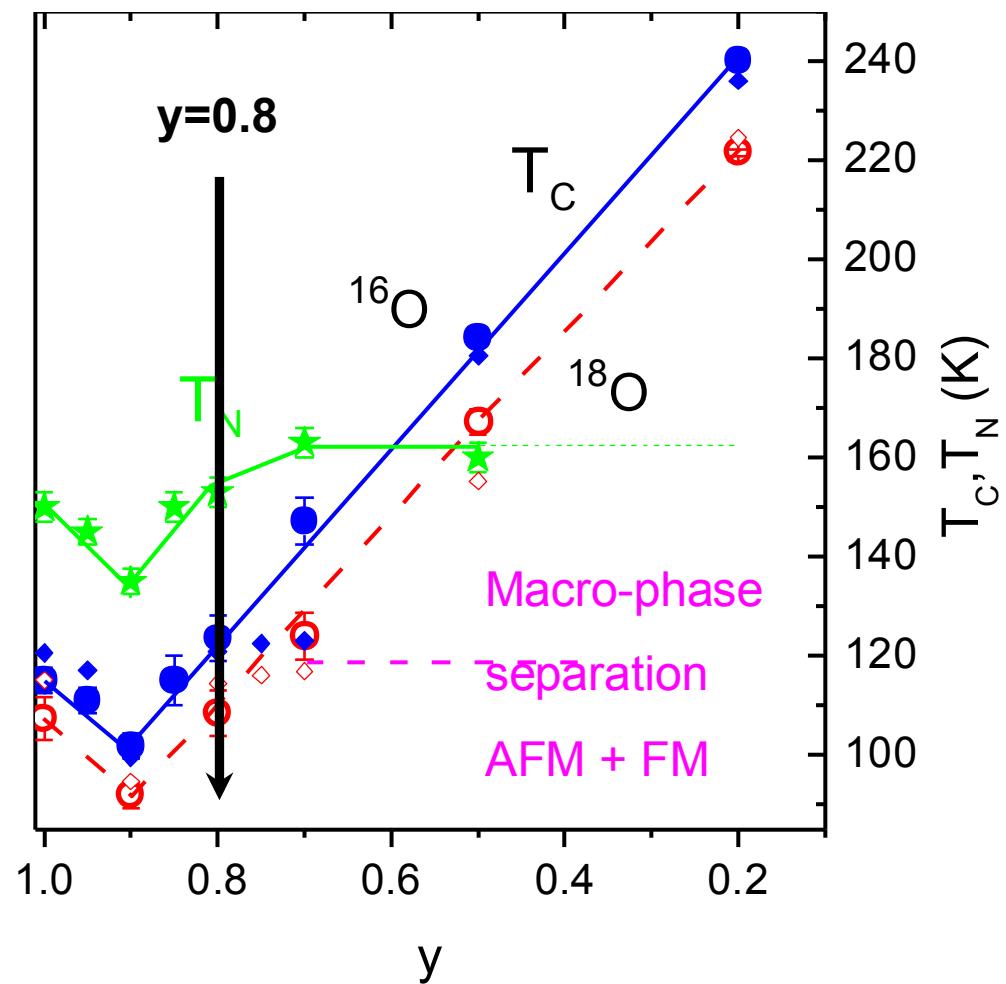


MS beamline at SLS/PSI

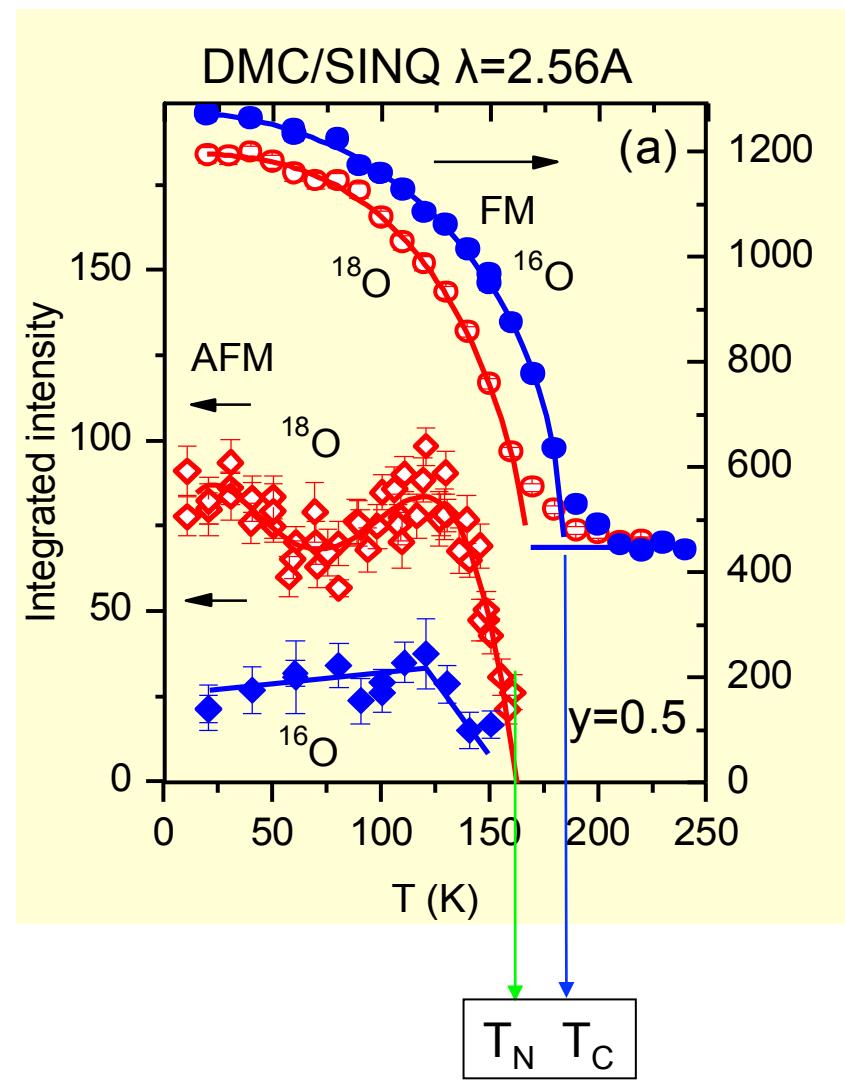
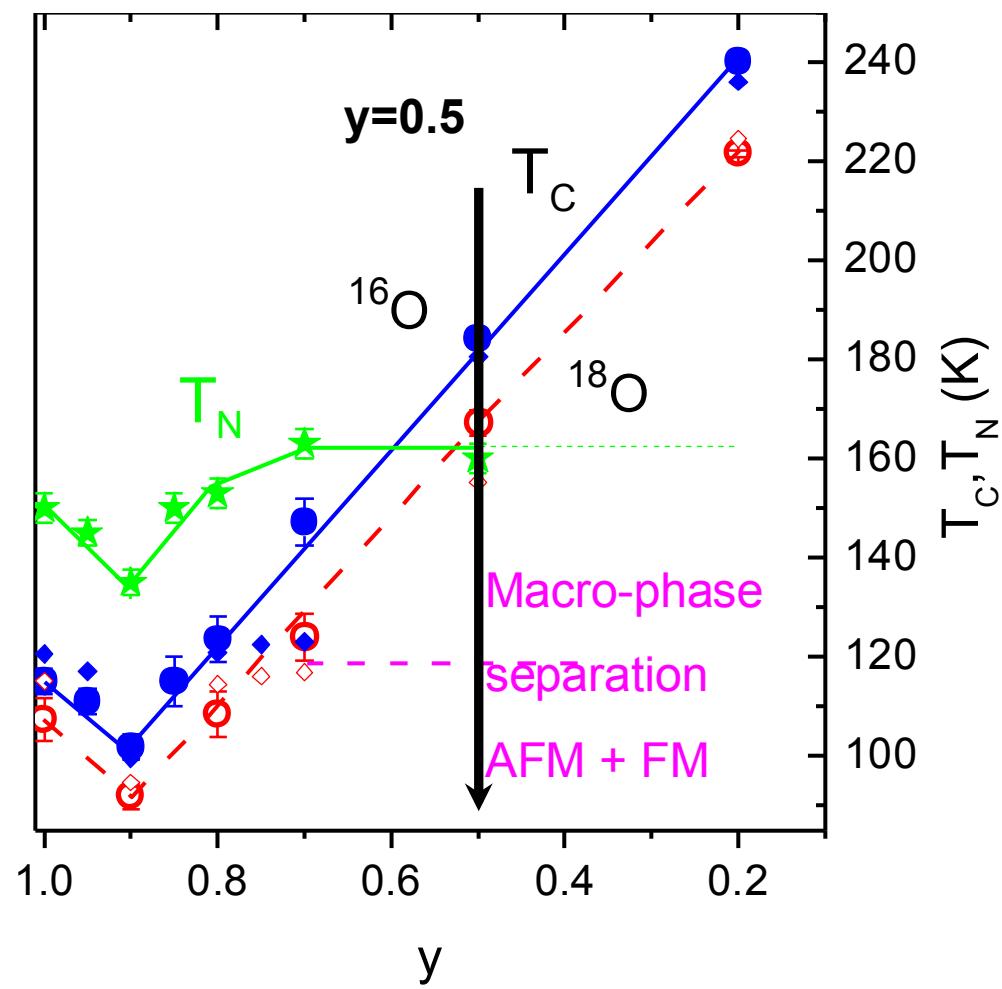


## 2. ac-magnetic susceptibility, $T=2\text{K}-400\text{K}$

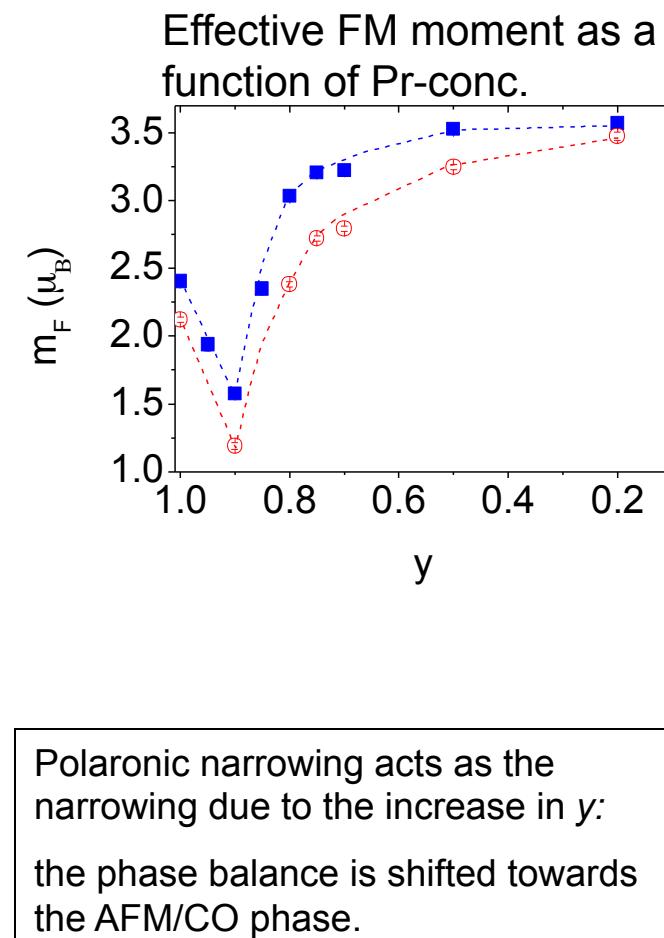
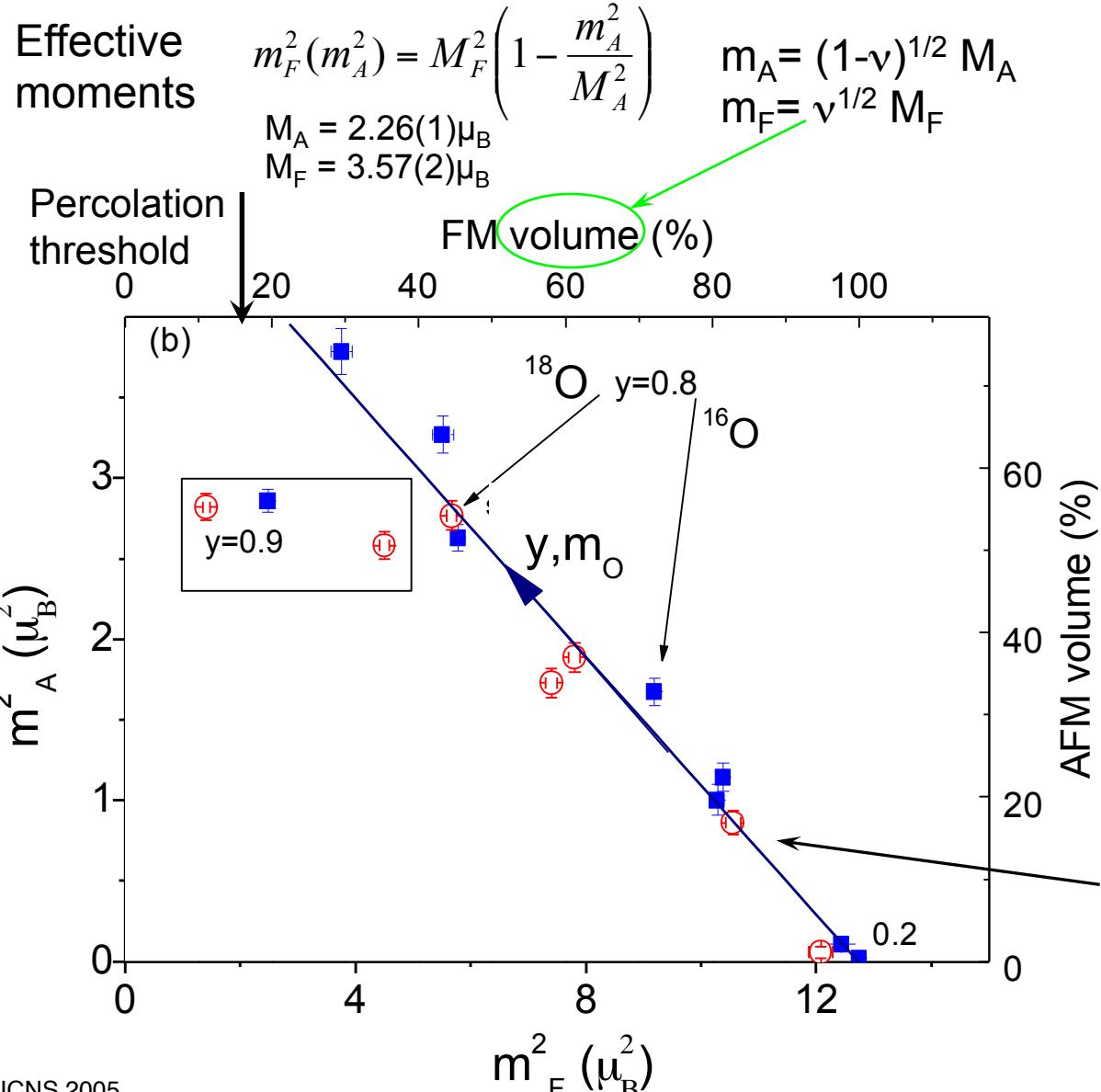
# Magnetic structure as a function of temperature



# Magnetic structure as a function of temperature

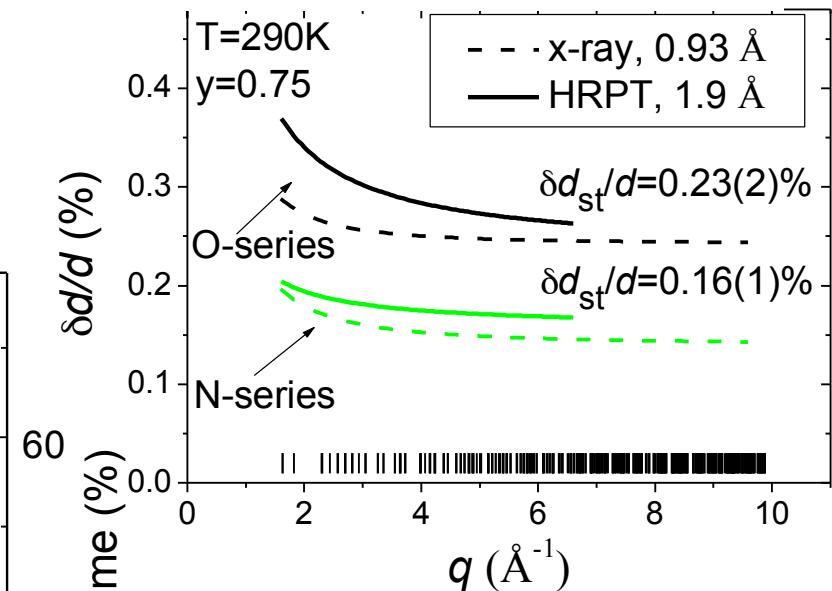
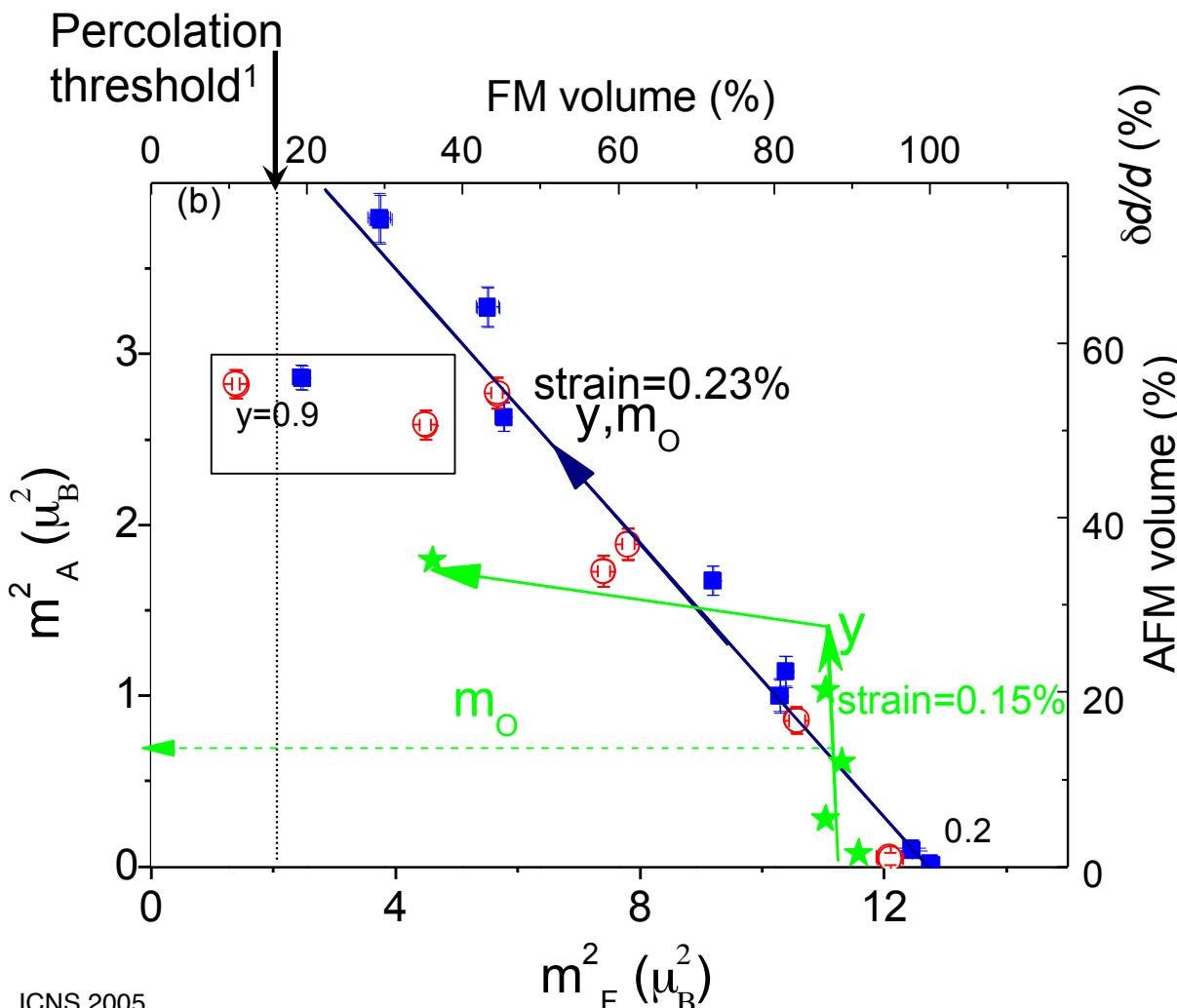


# Ground magnetic state of $(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$

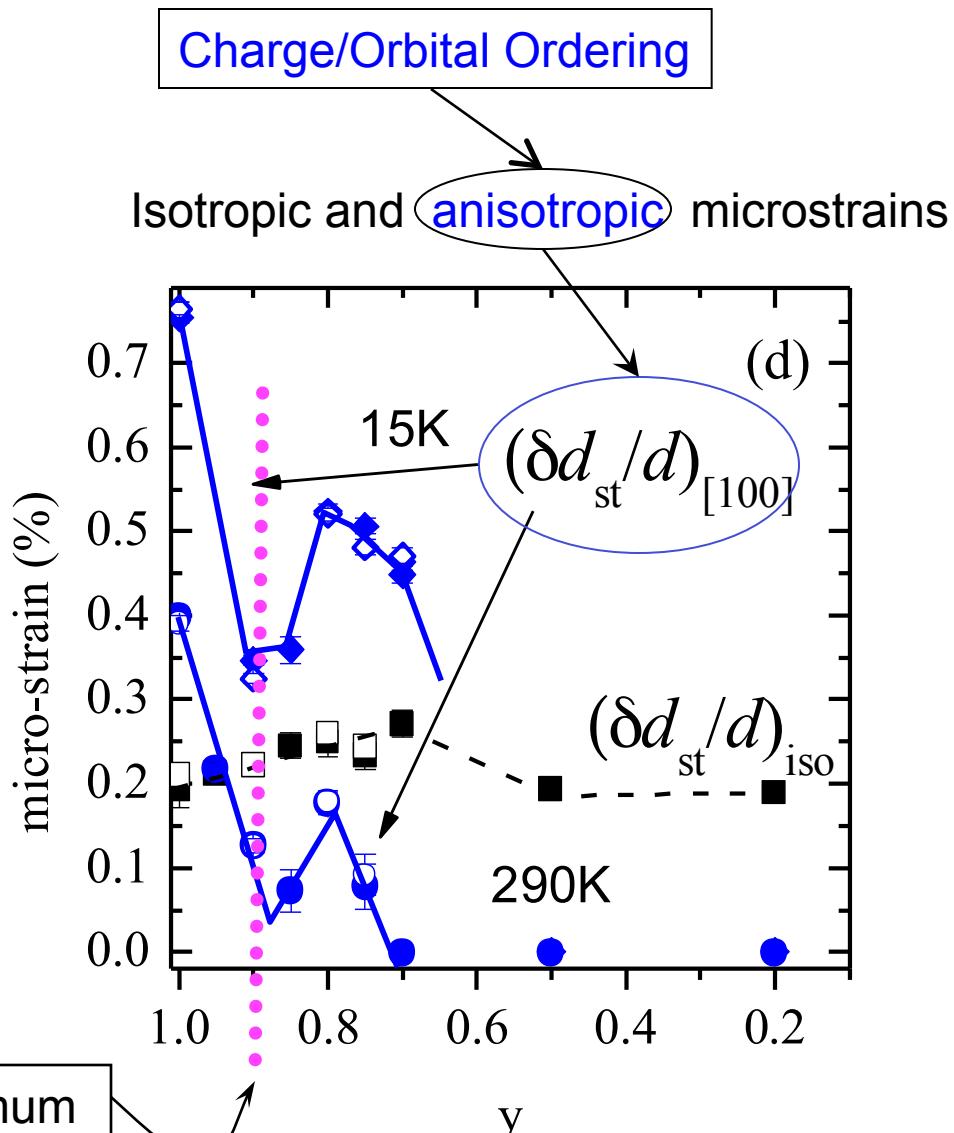
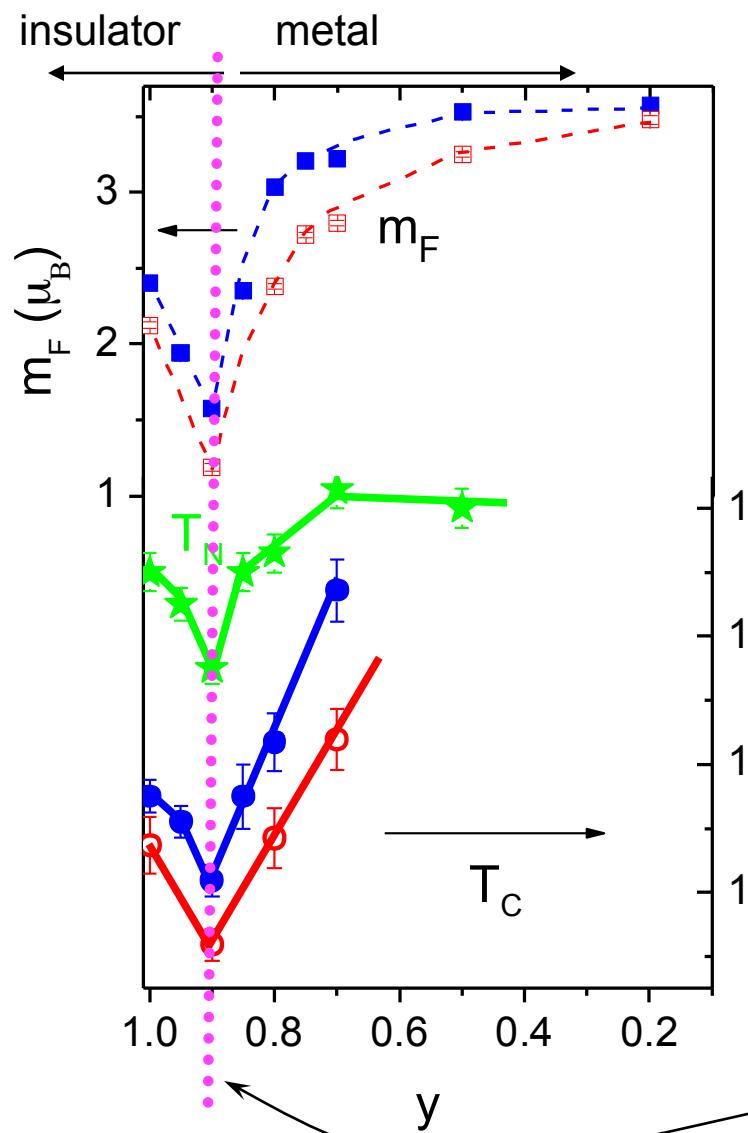


# Microstrains effect on phase separation in $(La_{1-v}Pr_v)_{0.7}Ca_{0.3}MnO_3$

Phase separation is favored by internal micro-strains!

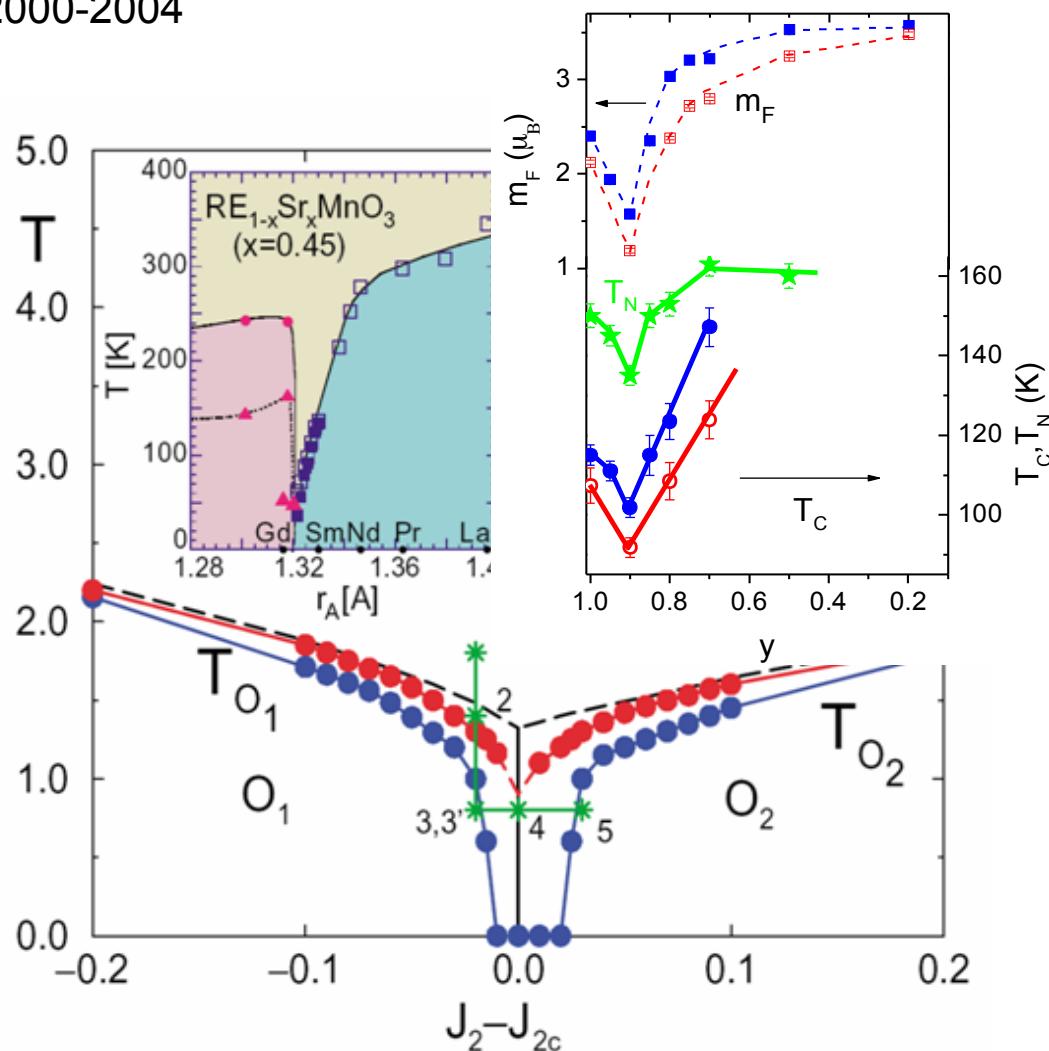


# Suppression of all types of ordering near M-I transition in $(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$



# Influence of quenched disorder on the competition between ordered states separated by a first-order transition

J.Burgy, A.Moreo, M. Mayr,  
E.Dagotto, et al, PRL, PRB  
2000-2004

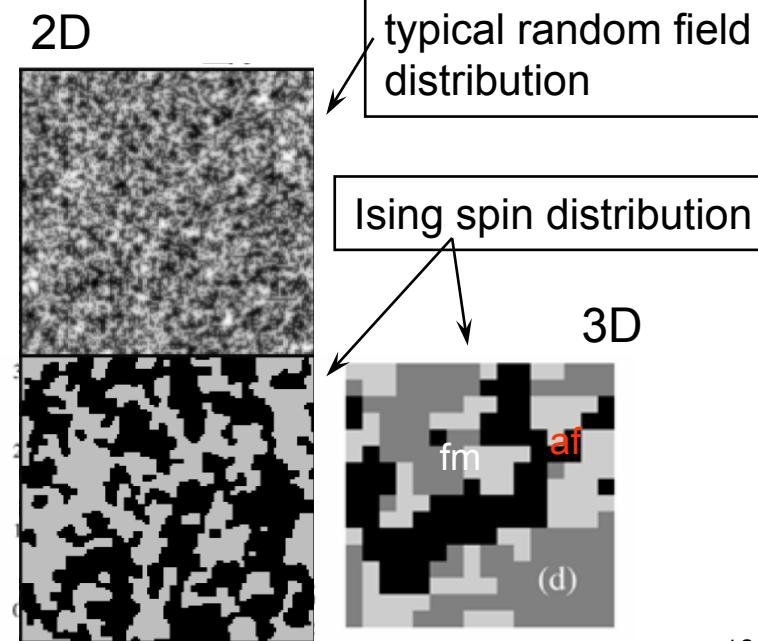


$(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$

$$H = -J \sum_{\langle ij \rangle} s_i s_j + J' \sum_{[ik]} s_i s_k$$

$$J' \rightarrow J'_{ik} = J' + W_{ik}$$

$\alpha \sim 3$  elasticity mechanism of the distortion propagation (Khomskii, Kugel, 2001)  $\sim 1/d_{[ik]}^{\alpha}$



# Summary

$(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$  ( $y=0.2-1.0$ ) with  $^{16}O/^{18}O$

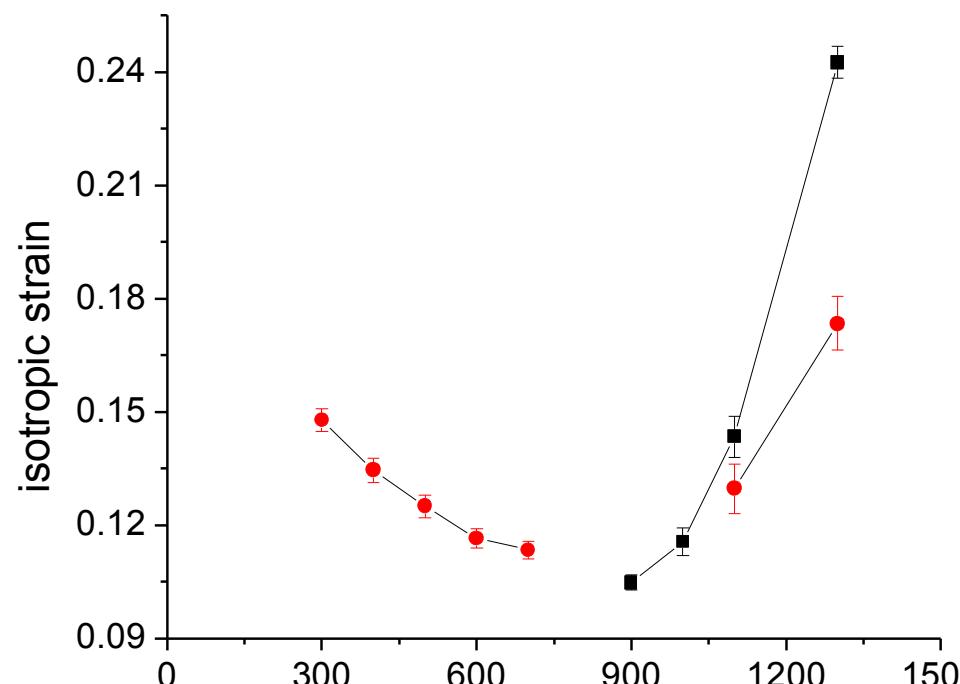
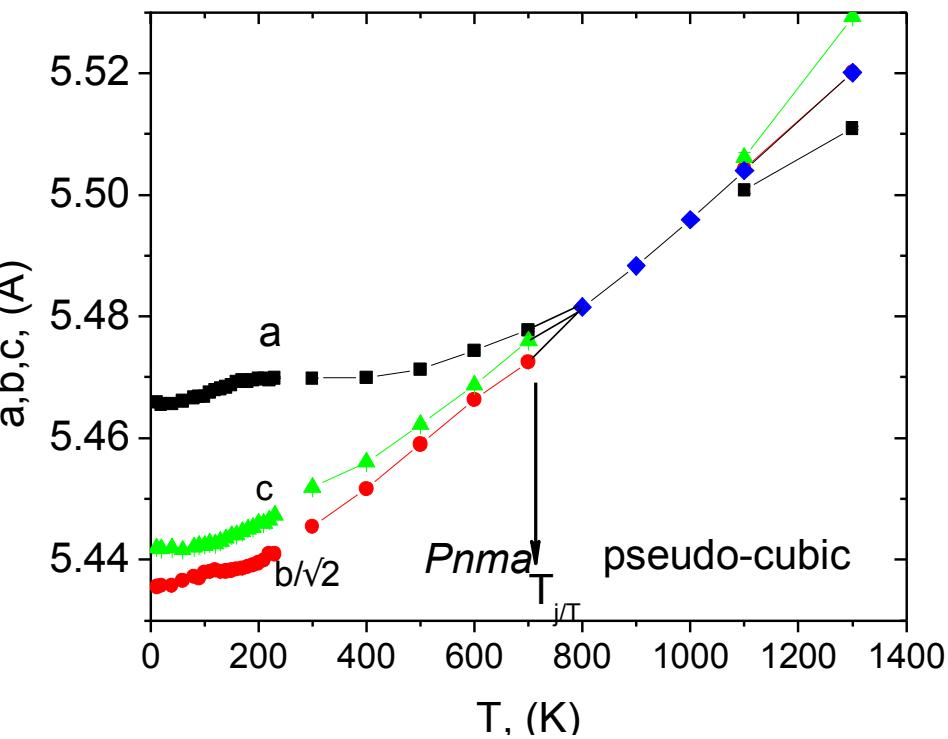
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- polaronic narrowing of the carrier bandwidth and the crystal lattice micro-strains control the volume fractions of the mesoscopic FM and AFM clusters.
- phase separation is favored by the presence of the micro-strains.
- a quenched disorder is responsible for the formation of the long-scale phase separated state
- There exists a genuine FMI phase for  $Pr_{0.7}Ca_{0.3}MnO_3$ , but with the DE-kind of interactions involved.

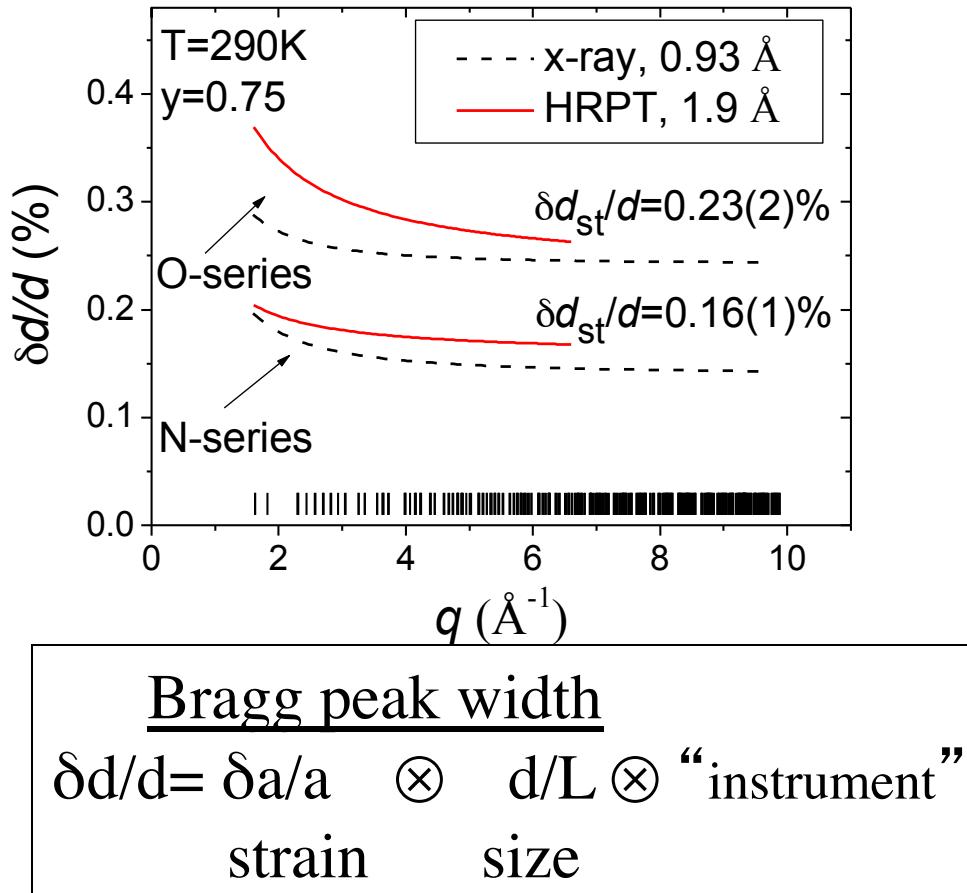
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# The End

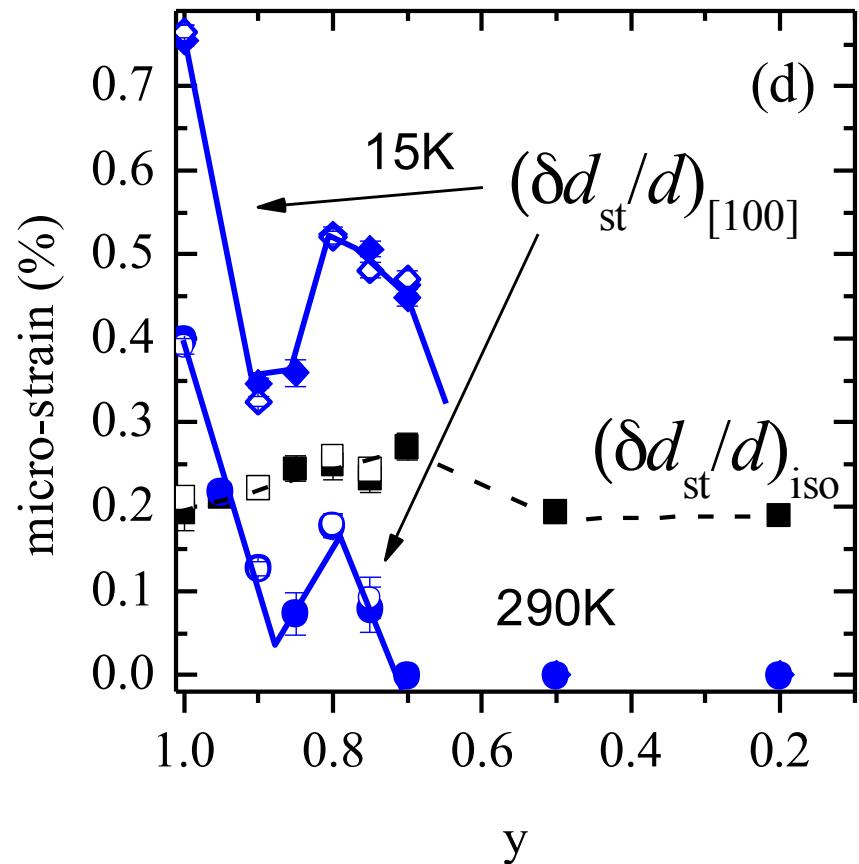
# Pseudocubic-orthorhombic transition



# Microstructure parameters

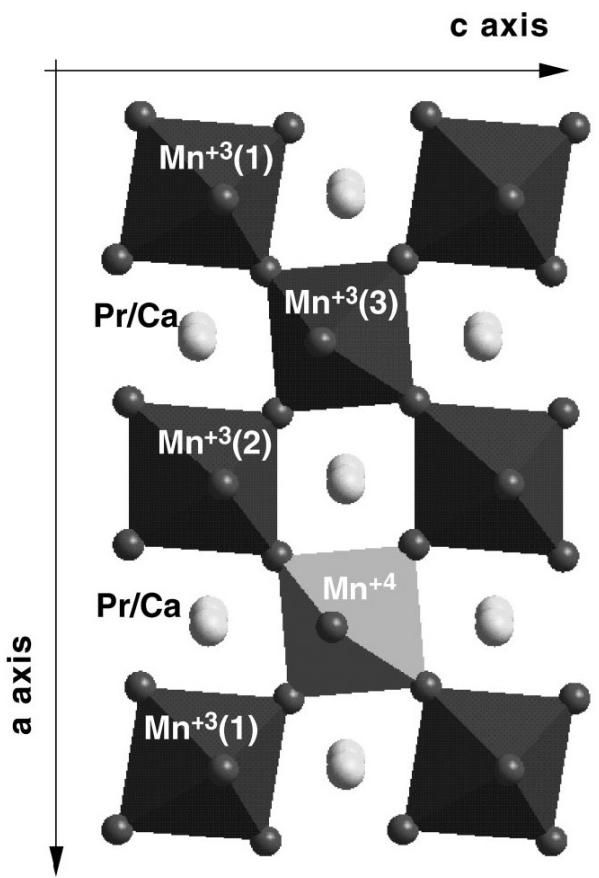


Deconvolution of the pseudo-Voigt Bragg peaks width  $\delta(2\theta)$  = "Cagliotti" with the instrument resolution function.



micro-strains as a function of Pr concentration (sp. gr. *Pnma*)

# Orbital and Charge ordering

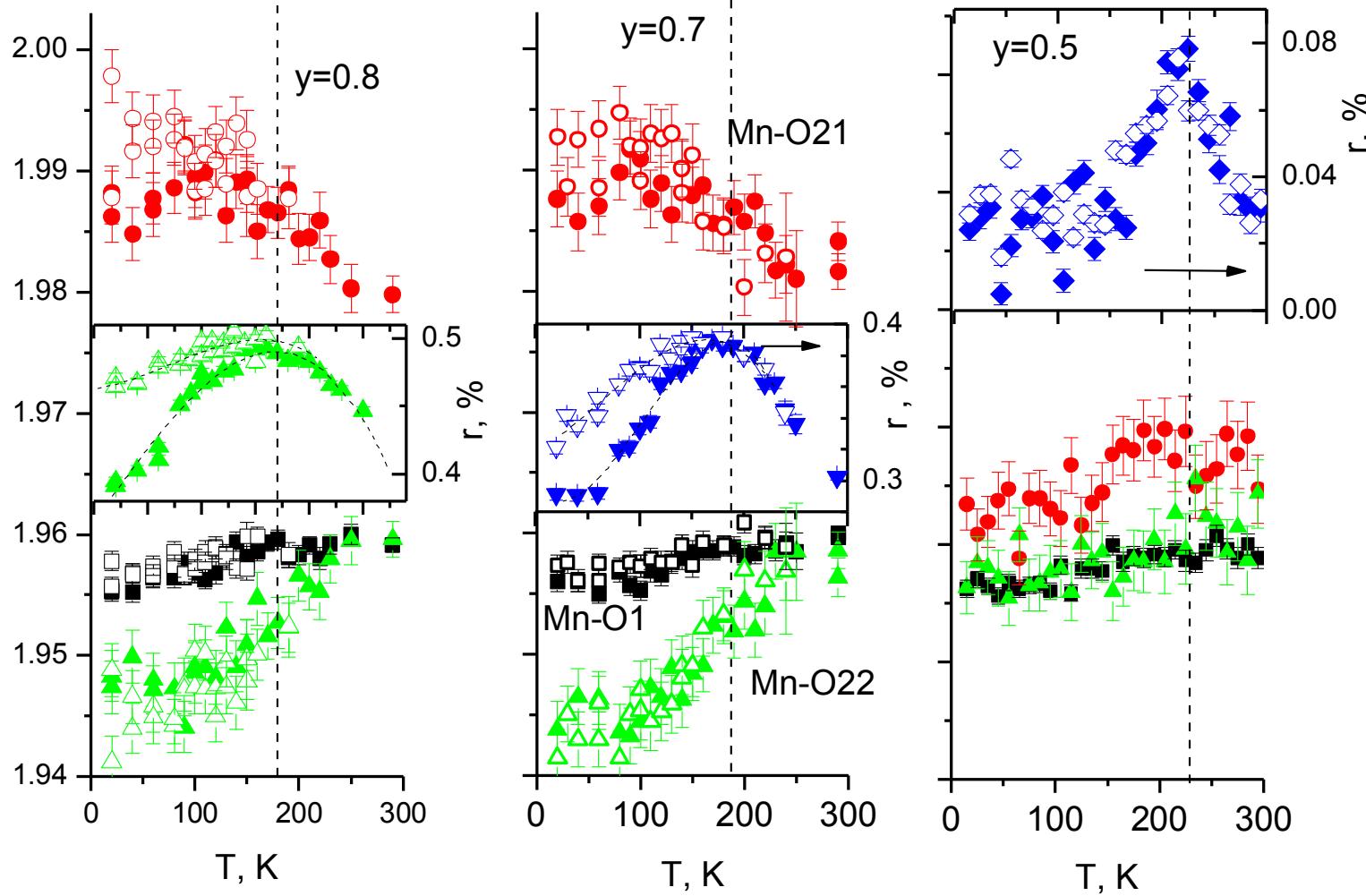


From D.E. Cox et al., PRB (1998)

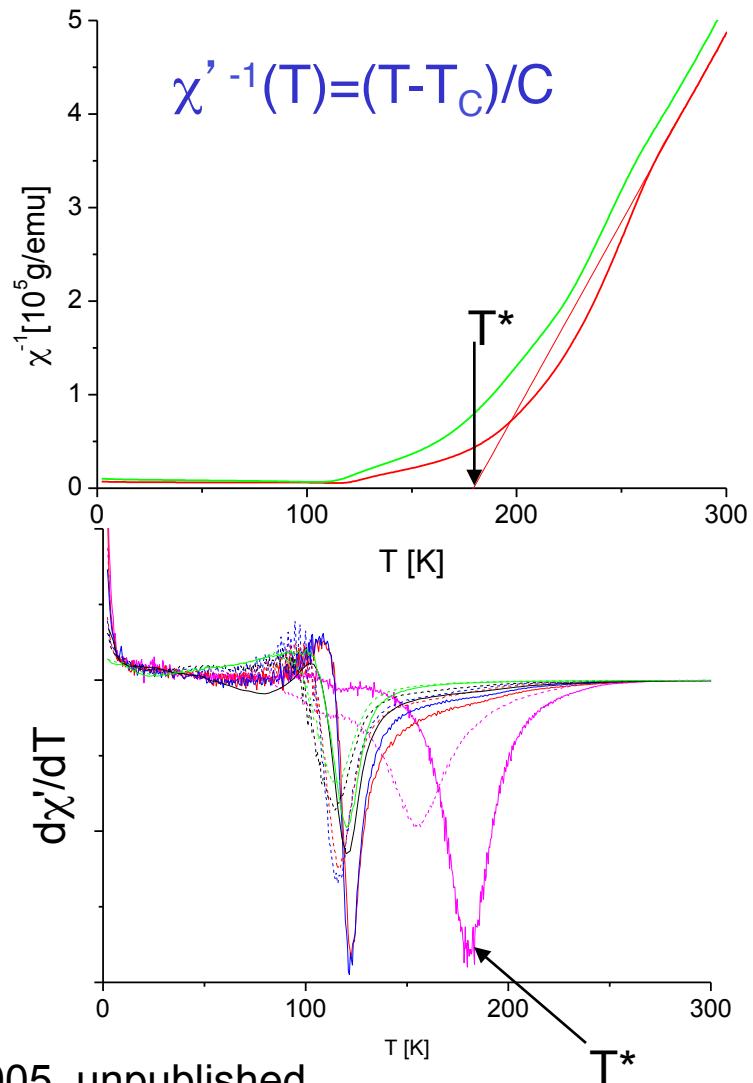
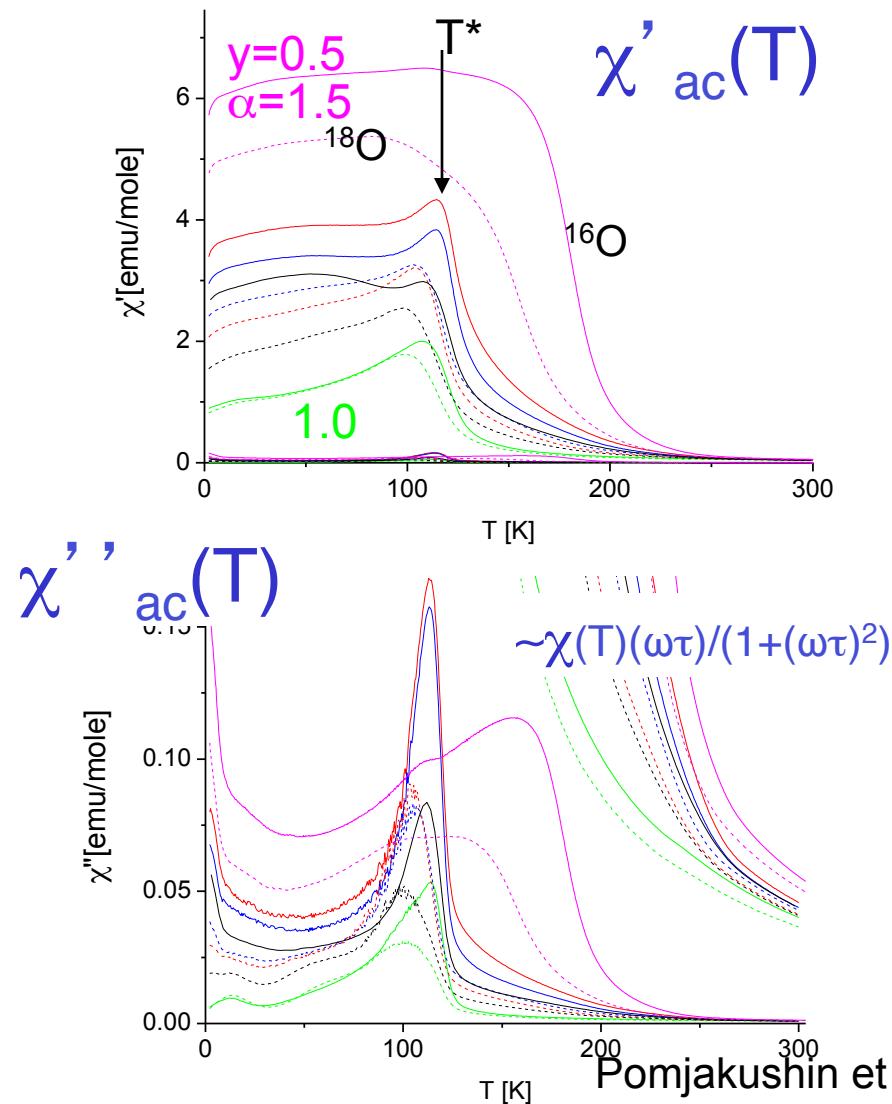
- satellite (to *Pnma*) Bragg peaks due to *a*-axis doubling
- anisotropic (along [100]) peak broadening due to the microstrains

Readily observed from NPD data

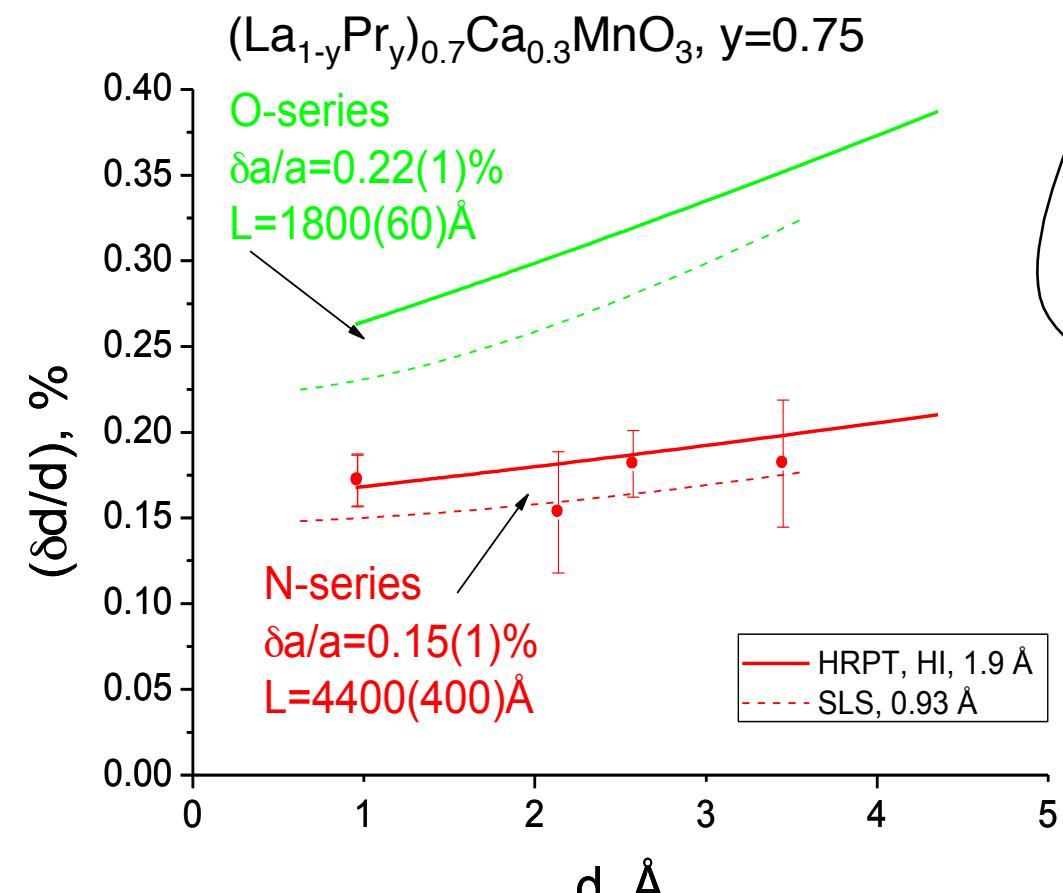
# OO effects



# $(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$ : $\chi_{ac}(T) = \chi'(T) + i\chi''(T)$



# Deconvolution of the Bragg-peak widths



Deconvolution of the pseudo-Voigt Bragg peaks width  
 $\delta(2\theta)$ =“Cagliotti” with the instrument resolution function.

Bragg peak width

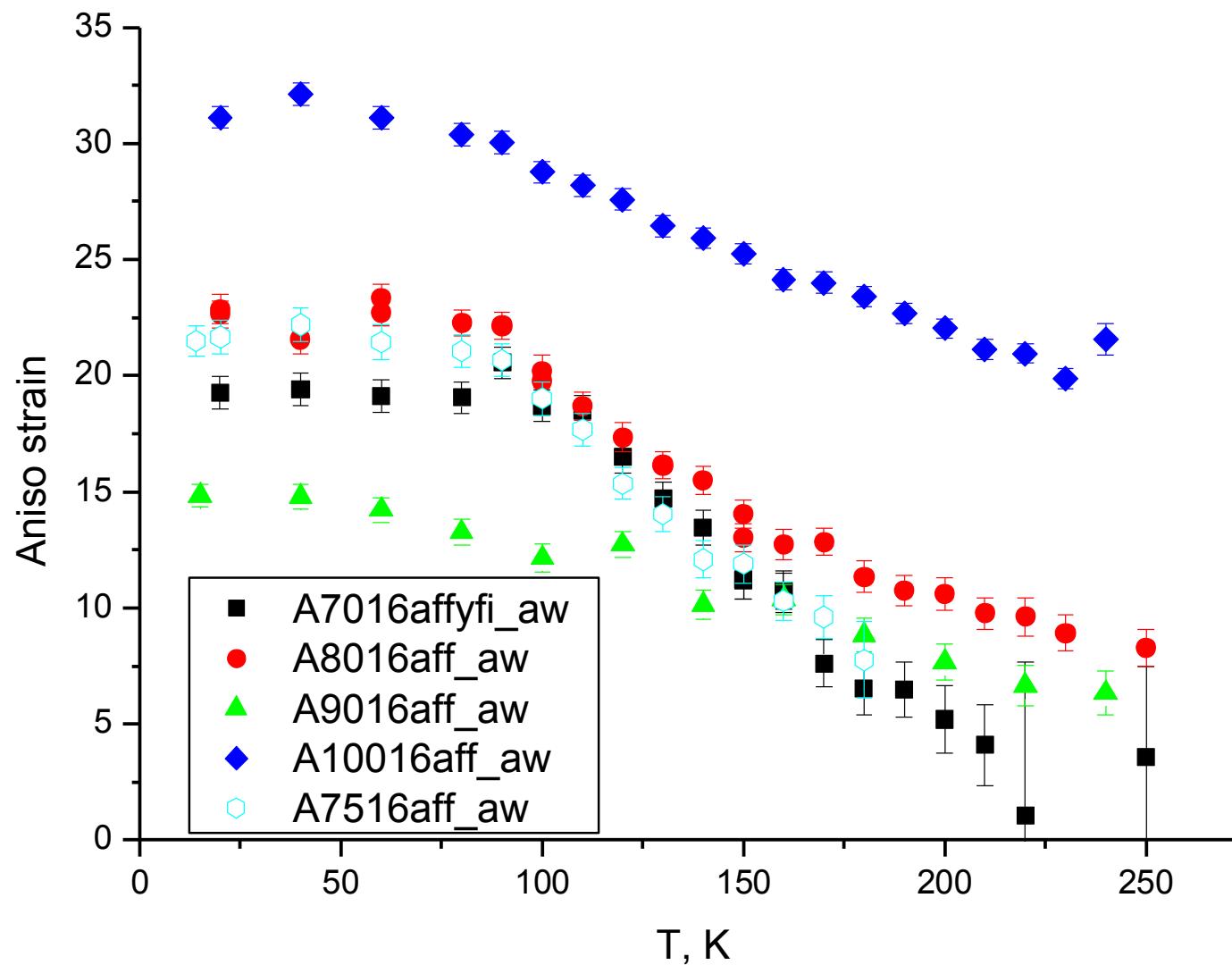
$$\delta d/d = \delta a/a \otimes d/L$$

strain      size

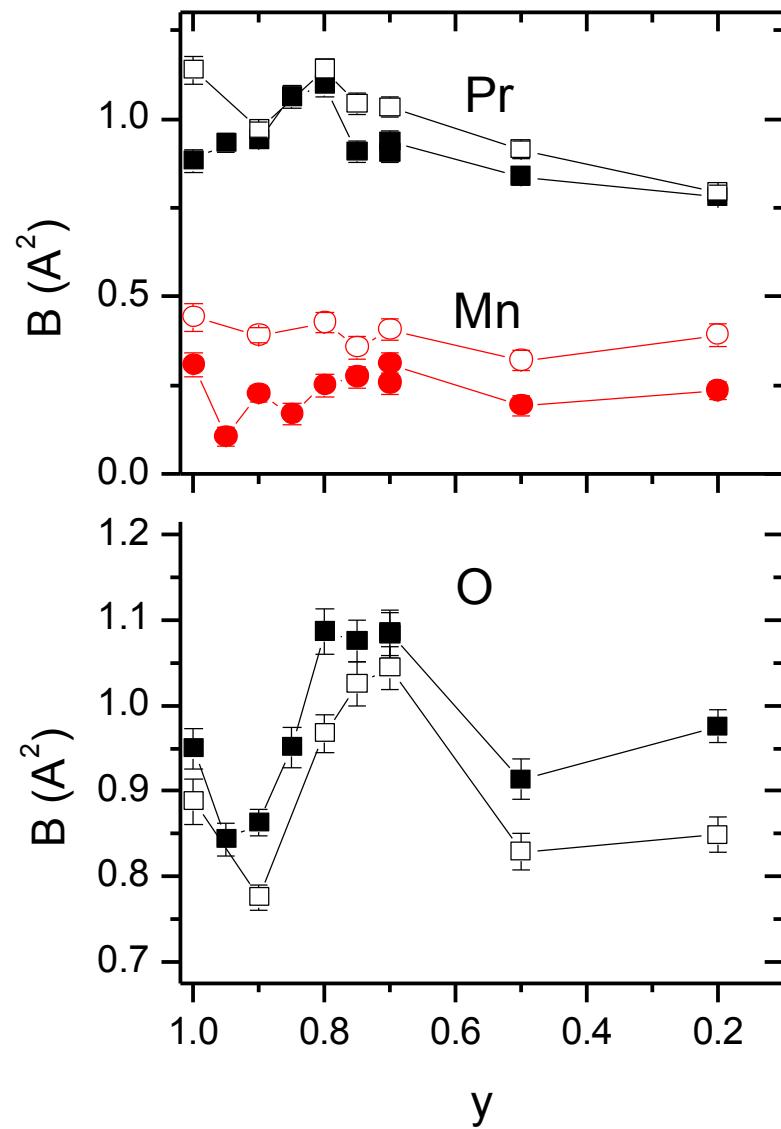
PV=Pseudo-Voigt  
 $\int_{-\infty}^{\infty} G(2\theta - \xi) L(\xi) d\xi$

$$I_{\text{exp}} = \int_{-\infty}^{\infty} PV_{\text{sample}}(2\theta - \xi) PV_{\text{instrument}}(\xi) d\xi$$

# T-dep of anisotropic strain

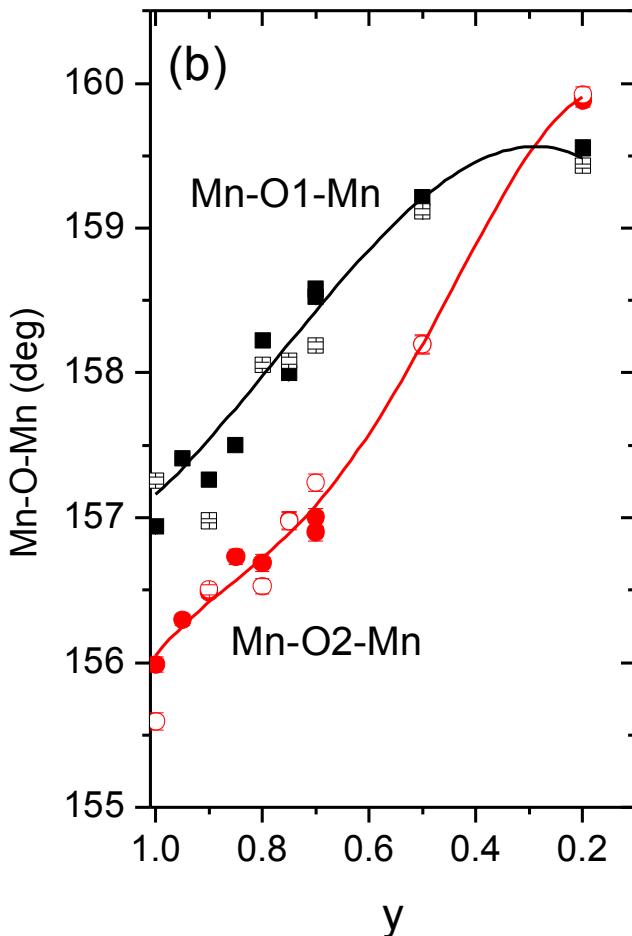
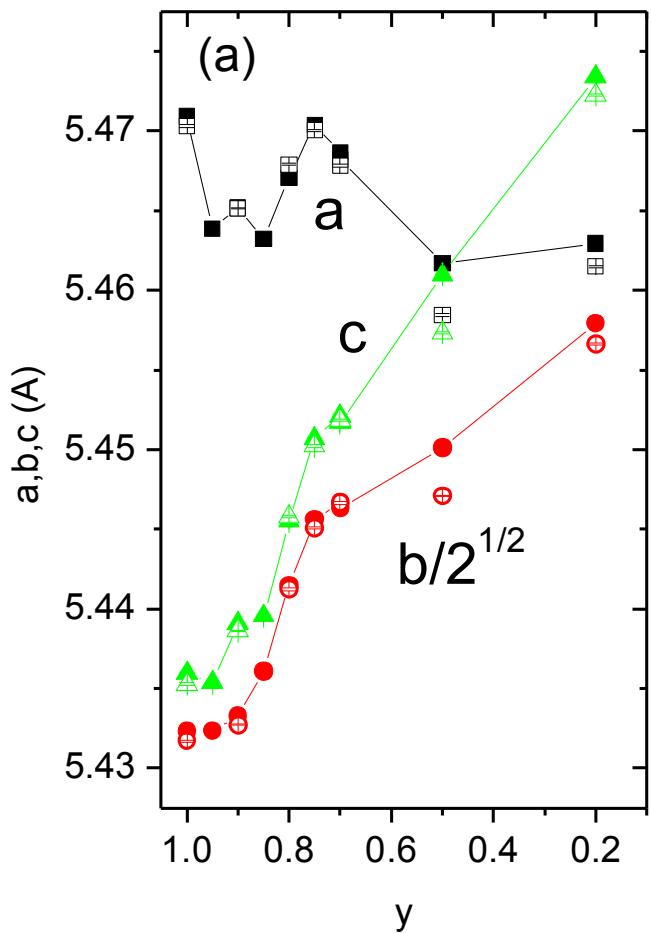


# Thermal displacement parameters

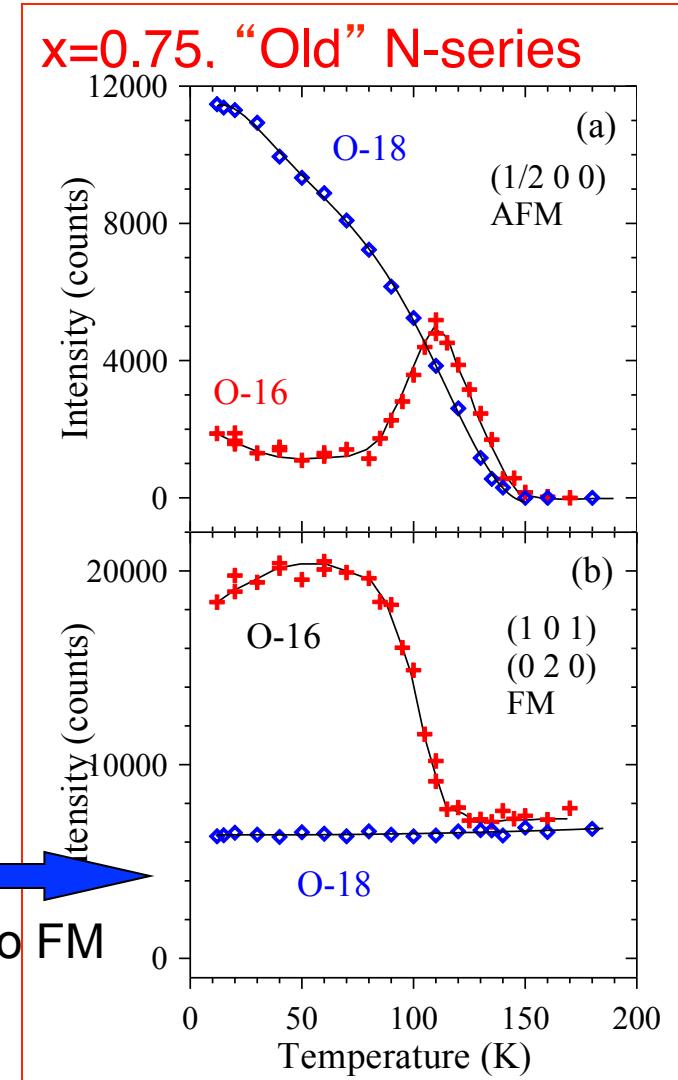
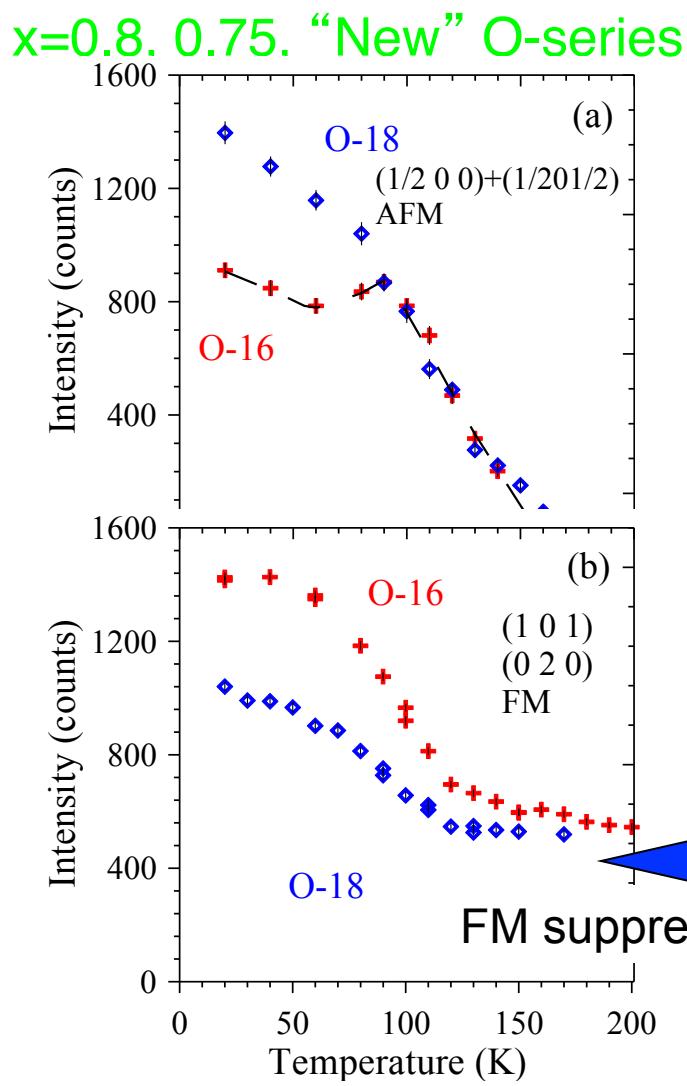


$$B^{1/2} \sim T <1/\omega^2> 1/M$$

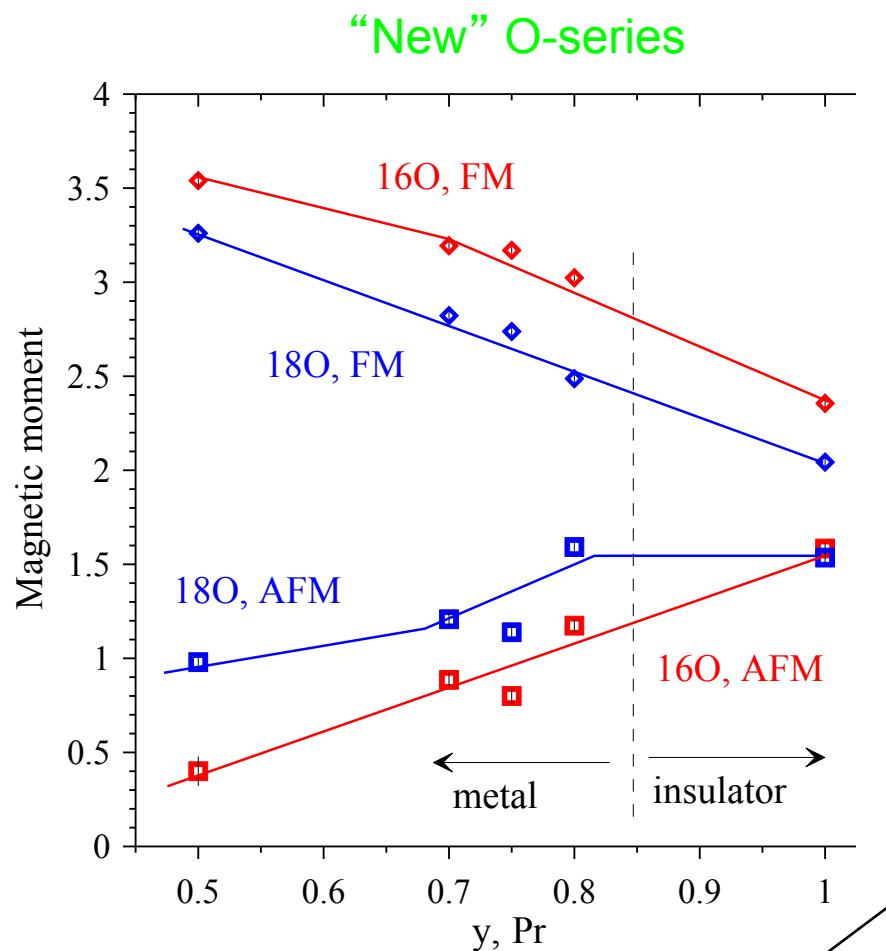
a,b,c



# Magnetic state. Bragg I(T)

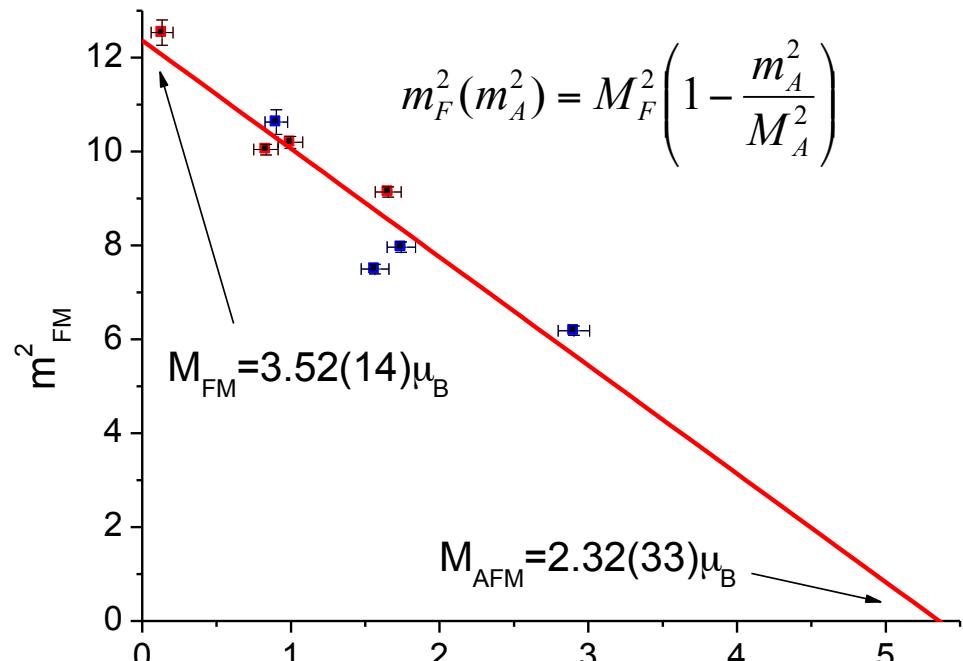


# Saturated effective magnetic moments in $(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$



Effective moments

Metallic FM+AFM separated state

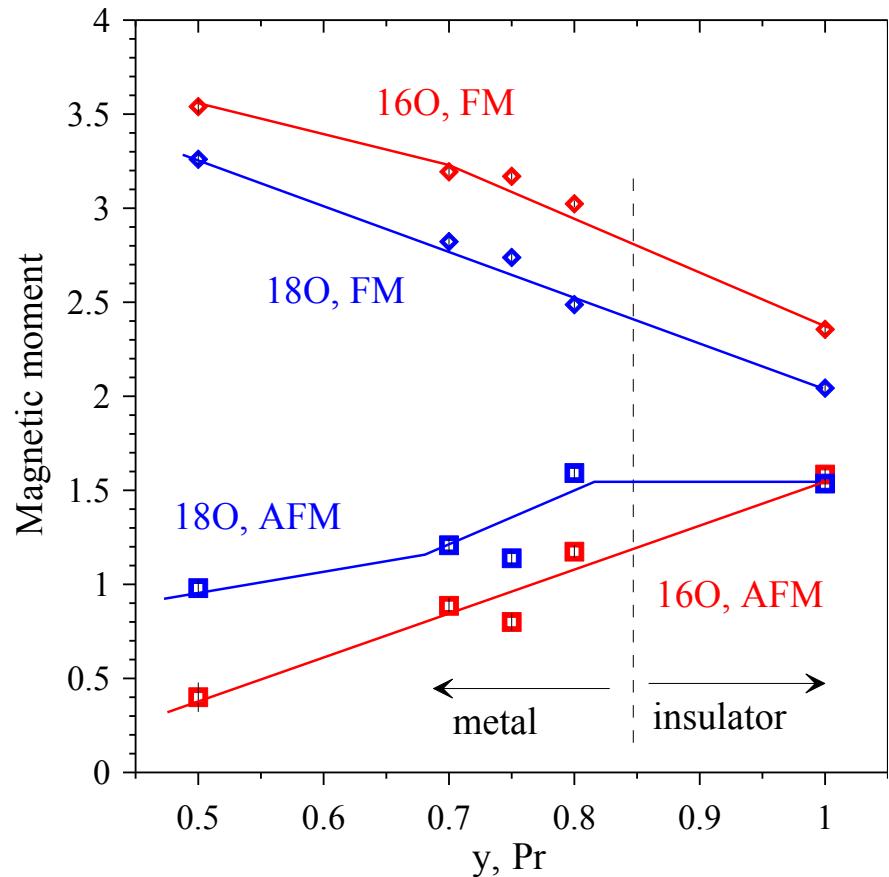


$\left\{ \begin{array}{l} M_{AFM} = \nu^{-1} M_{FM} \\ m_F = (1-\nu)^{1/2} M_F \end{array} \right.$

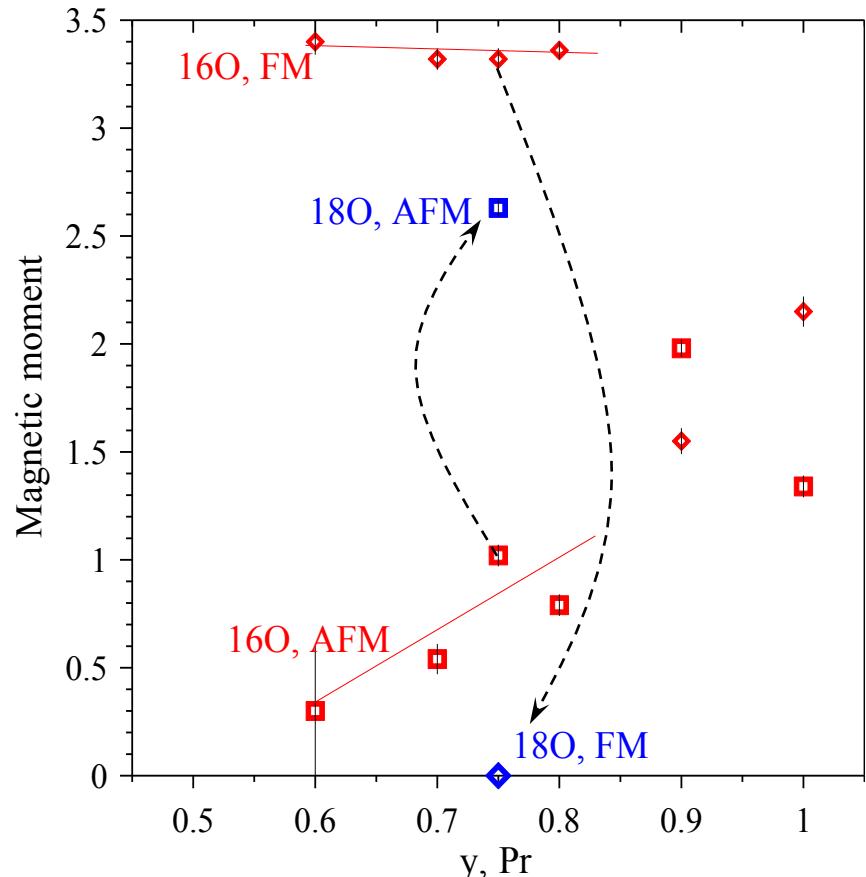
Volume fraction

# Saturated effective magnetic moments in $(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$

“New” O-series



“Old” N-series



Effective moments

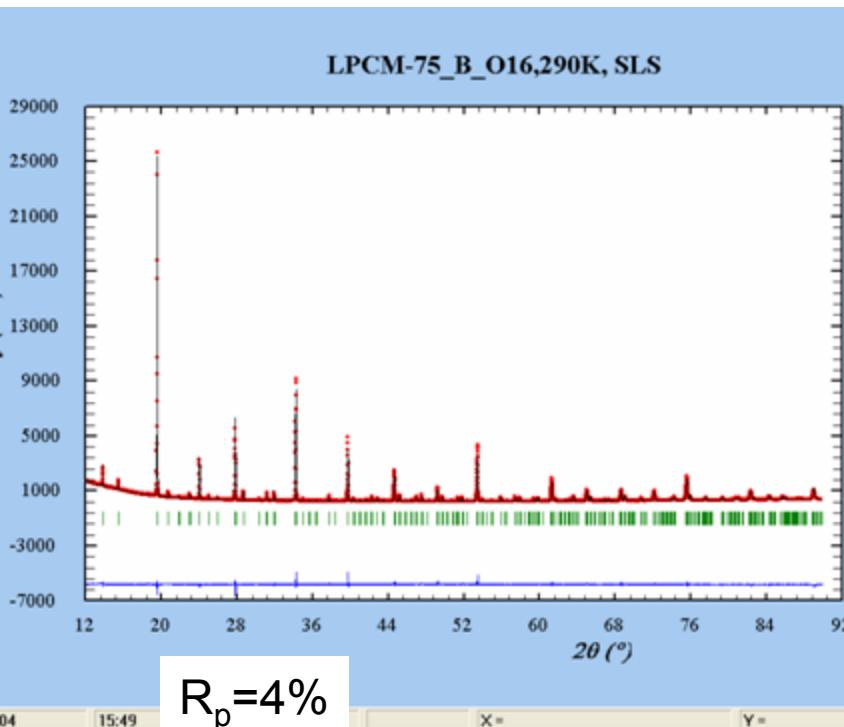
$$\left\{ \begin{array}{l} m_{AF} = \nu^{1/2} M_{AF} \\ m_F = (1-\nu)^{1/2} M_F \end{array} \right.$$

Volume fraction

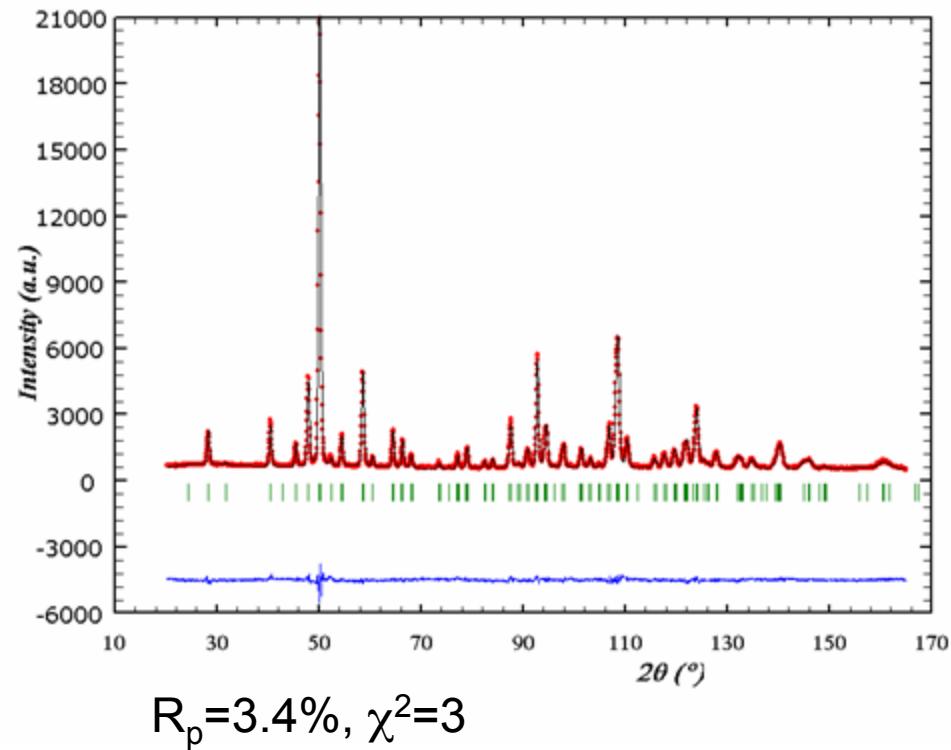
# What is the difference between two series? Crystal structure?

$(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$ ,  $y=0.75$  from both N- and O-series  
 $Pnma$ , single phase at 290K

SLS X-ray material beamline.  
Ultra-high resolution.  $\lambda=0.9\text{\AA}$

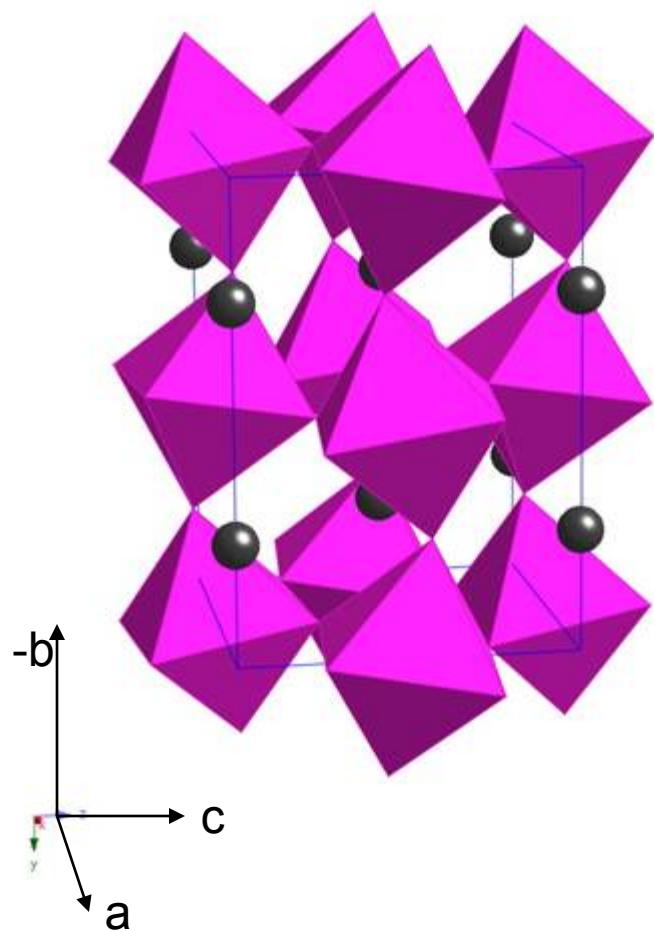
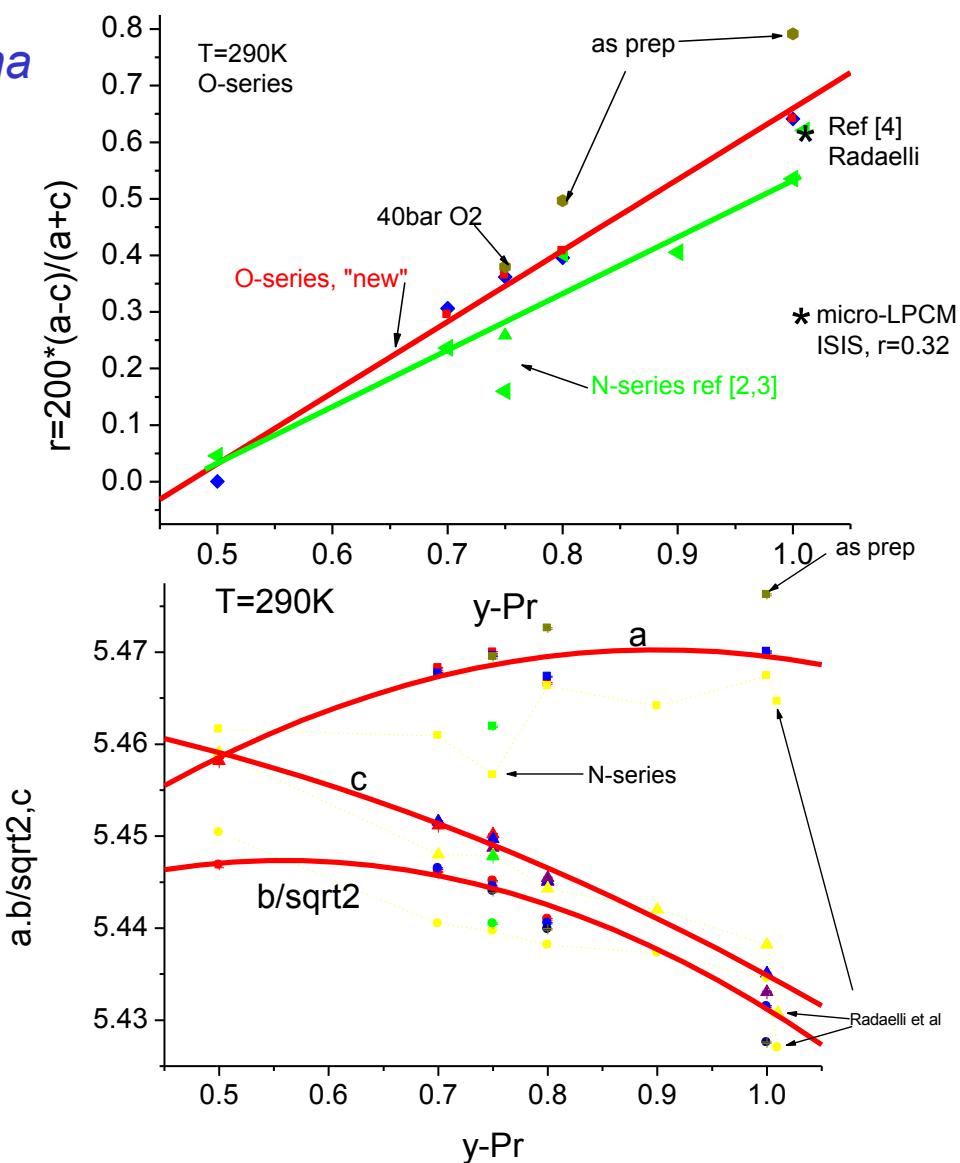


HRPT/SINQ diffraction pattern.  
 $\lambda=1.9\text{\AA}$ , HI-mode

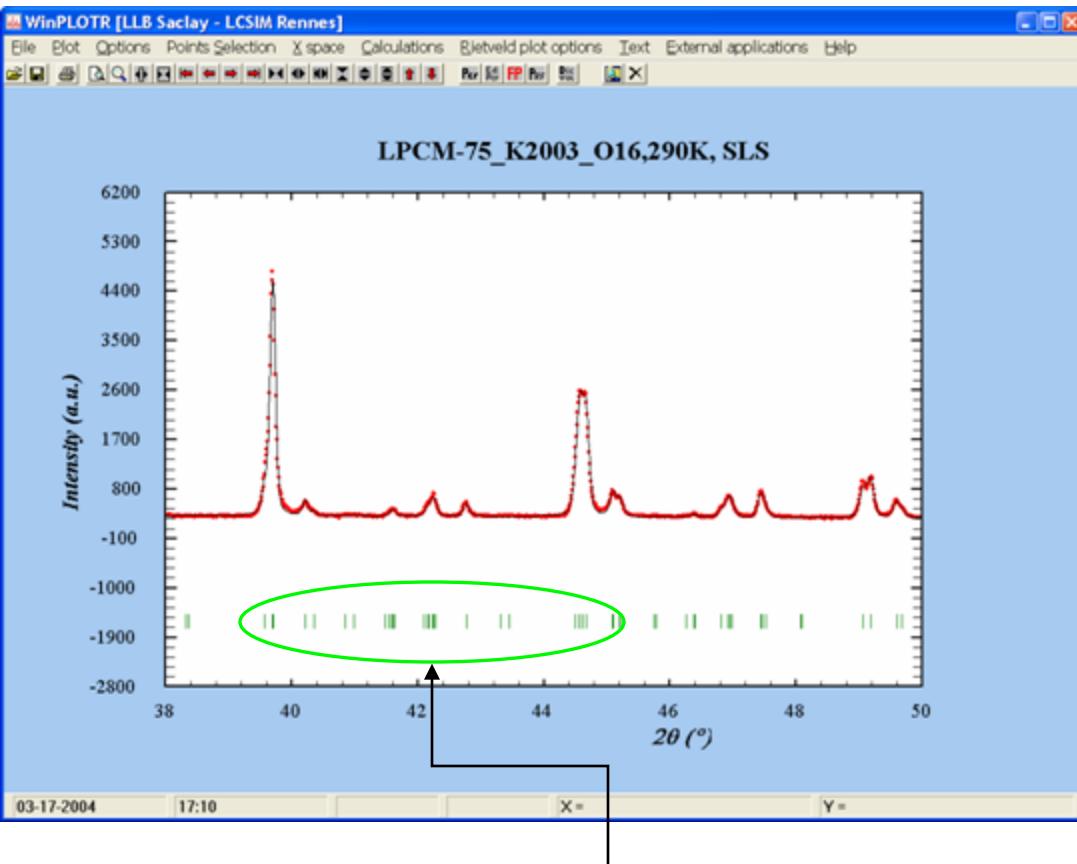


# Comparison of lattice parameters

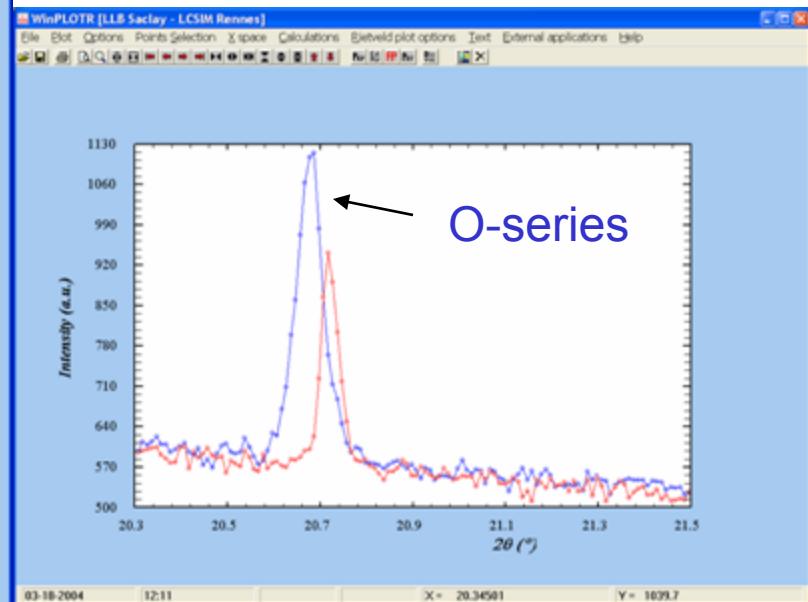
Pnma



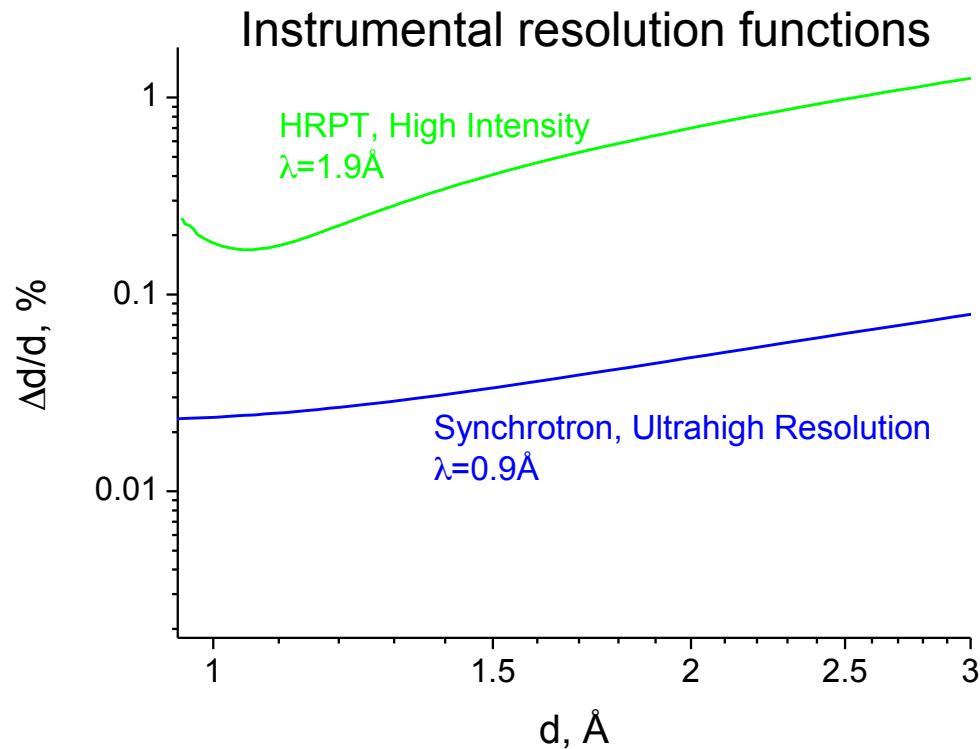
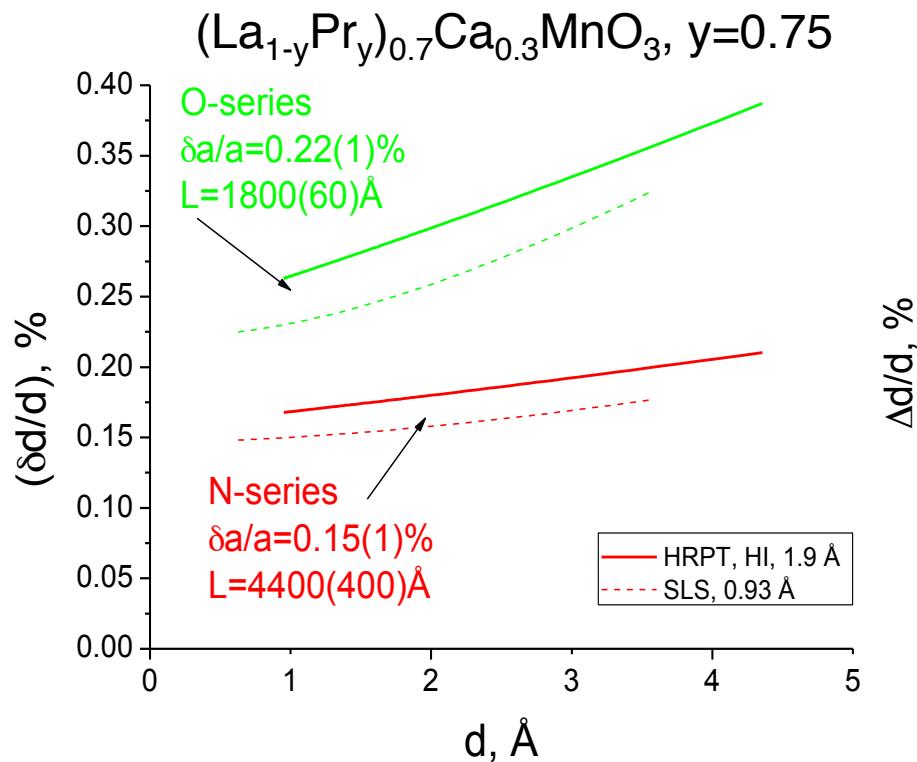
# Bragg peak widths. Synchrotron X-ray, HRPT



Pseudo-cubic metrics:  
Strong peak overlap



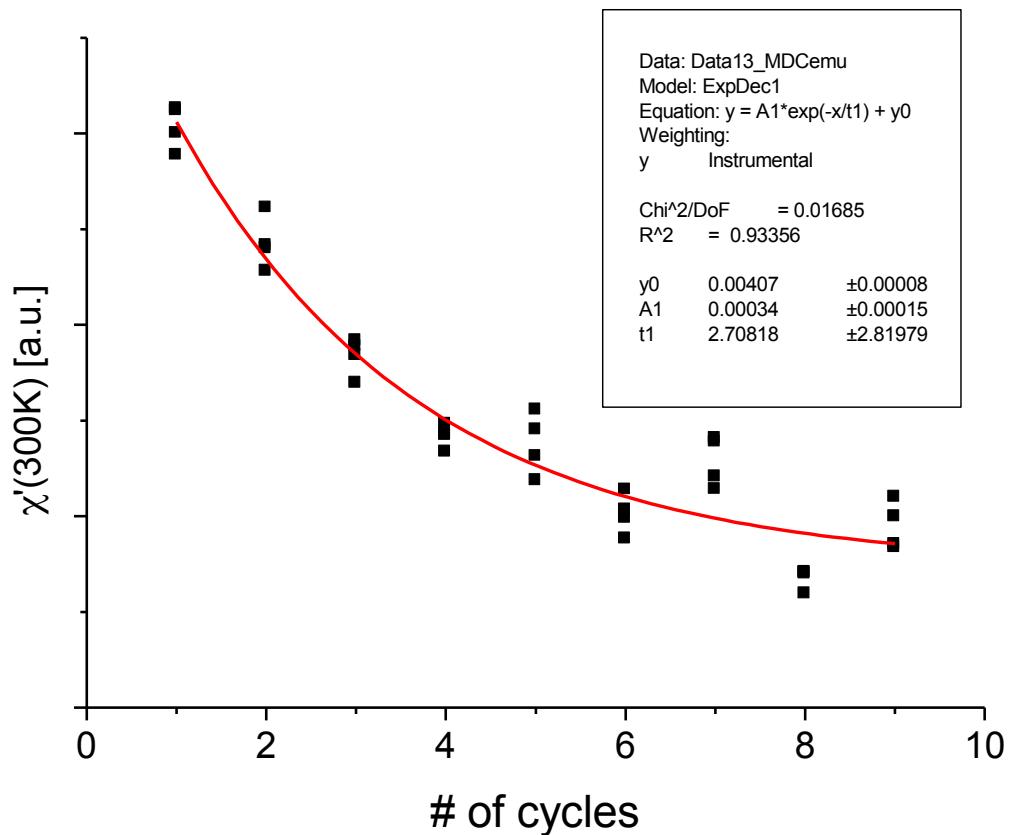
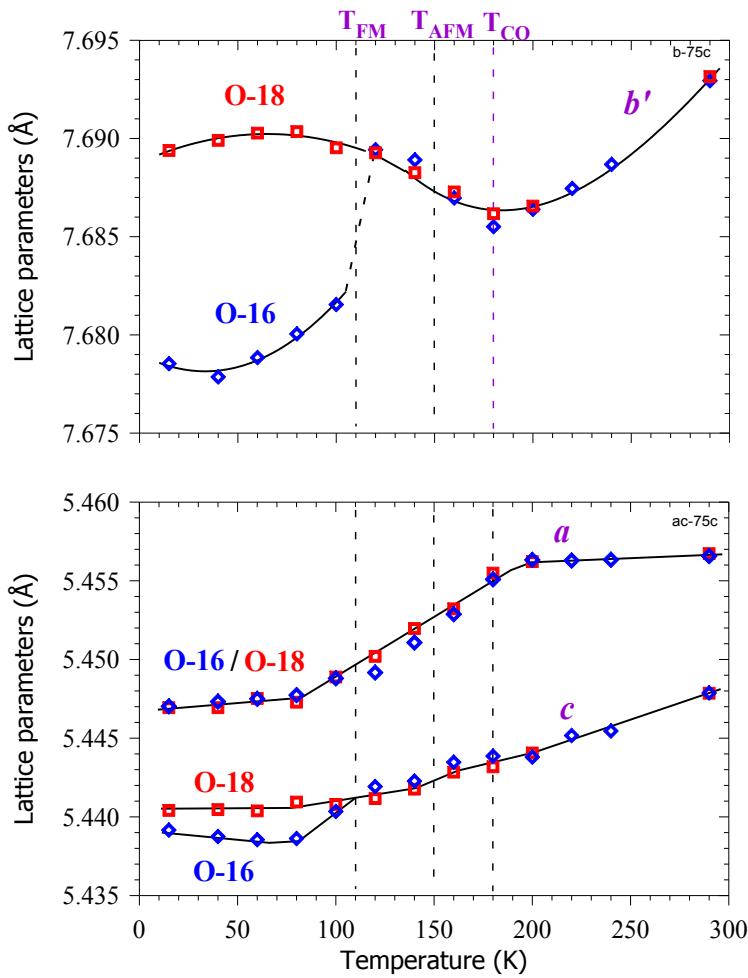
# Deconvolution of the Bragg-peak widths. Comparison of HRPT and synchrotron



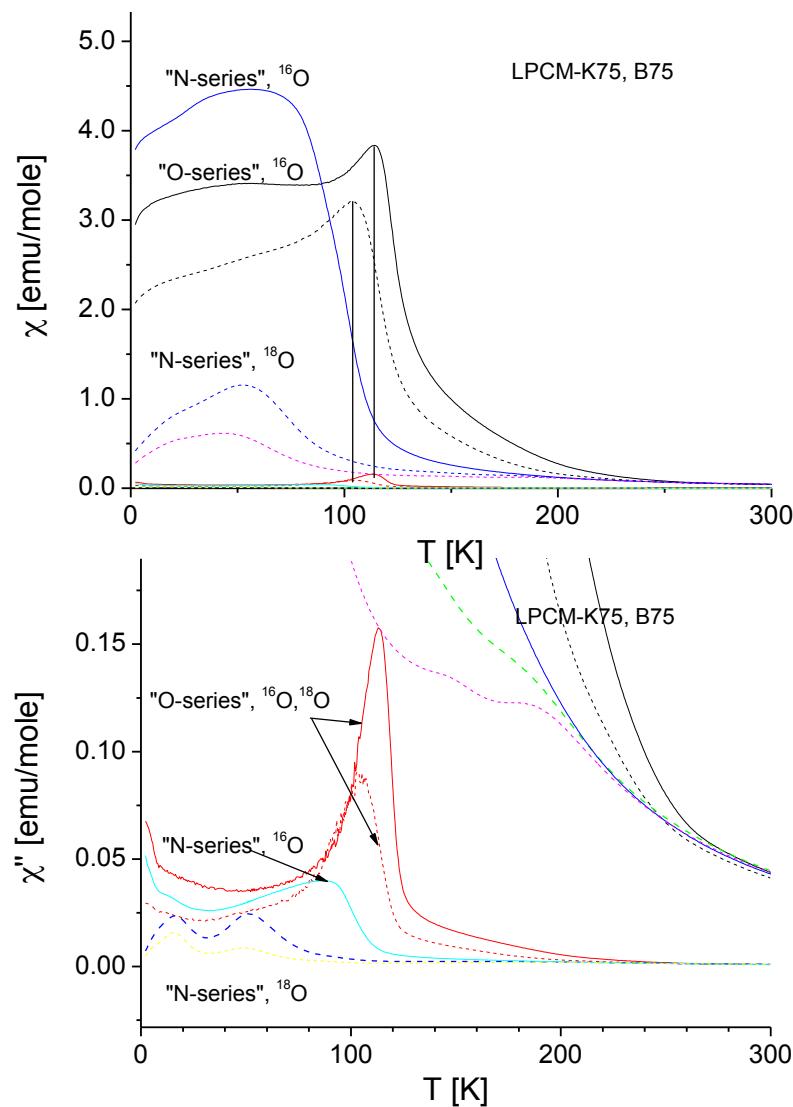
$$I_{\text{exp}}(2\theta) = \int_{-\infty}^{\infty} PV_{\text{sample}}(2\theta - \xi) PV_{\text{instrument}}(\xi) d\xi$$

Lorenzian  $\otimes$  Gaussian

# Thermal cycling through $T_c$



y=0.75



# DMC pattern

